NEW YORK UNIVERSITY SCHOOL OF LAW

SPRING 2014

COLLOQUIUM ON TAX POLICY
AND PUBLIC FINANCE

"The Price of Liquor is Too Damn High: State Facilitated Collusion and the Implications for Taxes"

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April 15, 2014
NYU Law School
Vanderbilt Hall-208
Time: 4:00-6:00pm
Number 11
SCHEDULE FOR 2014 NYU TAX POLICY COLLOQUIUM
(All sessions meet Thursday 4:00-5:50 p.m., Vanderbilt-208, NYU Law School)

1. January 21 – Saul Levmore, University of Chicago Law School, “From Helmets to Savings and Inheritance Taxes: Regulatory Intensity, Information Revelation, and Internalities.” (Main discussion paper); and “Internality Regulation Through Public Choice.” (Background paper).

2. January 28 – Fadi Shaheen, Rutgers-School of Law, Newark, “The GAAP Lock-Out Effect and the Investment Behavior of Multinational Firms.”; “Evaluating Investments of Locked-Out Earnings (an Outline).”

3. February 4 – Nancy Staudt, University of Southern California, Gould School of Law “The Supercharged IPO.”


9. April 1 – Andrew Biggs, American Enterprise Institute, “The Risk to State and Local Budgets Posed by Public Employee Pensions.”

10. April 8 – Susannah Camic Tahk, University of Wisconsin Law School, “The Tax War on Poverty.”


12. April 22 – Kimberly Clausing, Reed College, Economics Department, “Lessons for International Tax Reform from the U.S. State Experience under Formulary Apportionment.”


14. May 6 – Mitchell Kane, NYU School of Law, “Reflections on the Coherence of Source Rules in International Taxation.”
The Price of Liquor is Too Damn High:
State Facilitated Collusion and the Implications for Taxes
(Preliminary and Incomplete- DO NOT CITE)

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April 3, 2014

Abstract Alcohol markets are subject to both heavy regulation as well as excise taxes at the federal and state level. We examine the impact of particular state regulations on the structure of the alcohol market and the consequences for tax efficiency. We show that post and hold and meet but not beat pricing regulations at the wholesale level facilitate non-competitive pricing by wholesalers. Wholesalers will tend to mark up premium brands relative to call or well products. The distortion of premium brands generally exceeds the distortions resulting from optimally set taxes, particularly when states attempt to address any negative externality of alcohol consumption. Regression results and tabulations indicate that that states featuring post and hold regulations consume 4% to 10% less alcohol than other states, that premium products comprise a smaller share of consumption and that wholesaler pricing is consistent with non-competitive behavior. We use new monthly data describing prices and quantity for hundreds of products to estimate alcoholic beverage demand and use these estimates to assess the impact of replacing these regulations with higher taxes. Our findings suggest that the state of Connecticut could raise three to six times their current alcohol tax revenue by eliminating these regulations and increasing taxes such that total alcohol consumption was unchanged. In addition to redirecting surplus from wholesalers to the taxing authority, these alternative policies increase consumer surplus by reducing distortions in consumer product choices. The state can effectively raise much more revenue and improve consumer welfare by replacing alcohol regulations with taxation.

Keywords: Excise Tax, Pigouvian Tax, Tax Efficiency, Regulation, Vertical Restraints, Quantity Discounts


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1 Introduction

A bottle of wine selling for $21.99 in Massachusetts could cost $29.99 in Connecticut...It is absolutely outrageous that people expect citizens of Connecticut to pay that kind of premium. This has been a 100 percent regulated and protected industry and in so, in many ways, is quite un-American.

(Governor Daniel P. Malloy, Connecticut Post, 2/28/2012)

In the United States, the manufacture, distribution, and selling of alcoholic beverages are big business, with sales exceeding $100B in 2012. Alcohol markets are also subject to heavy government intervention. Federal, state and even local governments levy excise taxes on alcohol, raising substantial revenue to the tune of $15.5B annually. In addition to being subject to industry-specific taxation, the sale and distribution of alcohol is tightly regulated. In this paper, we study the interaction between taxes and a particular but popular regulatory framework, its implications for tax efficiency, and examine how counterfactual government policies could be potentially welfare-enhancing. The evolving legal standing of these regulations and growing interest among state governments for modifying alcohol regulations and increasing alcohol taxes makes understanding these interactions particularly relevant now.

Alcohol is typically subject to both specific and ad valorem excise taxes. Federal taxes are levied by alcohol volume with different rates for beer, wine and distilled spirits. In 2010 the federal government raised $9.5B from these excise taxes. In addition to federal taxes, all but a handful of states tax alcoholic beverages with volume-based specific taxes, subject alcohol sales to ad valorem taxes, or do both. Collectively states and localities raised over $6B in tax revenue by taxing alcohol in 2010. Prior work, such as Young and Bielinska-Kwapisz (2002) and Kenkel (2005), has examined pass-through rates and assessed the salience of alcohol taxes (Chetty, Looney, and Kroft 2009). Other studies, using state aggregate data have estimated the elasticities of of broad categories of alcoholic beverage demand. Reviews of this literature by Wagenaar, Salois, and Komro (2009), Cook and Moore (2002), and Leung and Phelps (1993) conclude that consumption of beer, wine and spirits are all responsive to changes in price.

States also retain unusually broad powers to regulate the alcohol industry. Nearly every state has instituted a three-tier system of distribution where the manufacture, distribution and sales of alcoholic beverages are vertically separated. Some states, known as control states, operate part or all of the distribution and retail tiers. Alcohol is effectively sold by a state-run monopolist.

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1 Many states also levy sales taxes on alcohol and both state and federal governments subject producers, distributors and retailers to income taxes.

2 While ending Prohibition, the Twenty-first Amendment also granted the states regulatory power over alcohol markets, largely but not fully exemption their regulations from scrutiny under the commerce clause of the U.S. Constitution.
Control states—also called Alcohol Beverage Control (ABC) states—have been the subject of recent empirical work examining the impact of state-run monopolies on entry patterns (Seim and Waldfogel 2013) and the effect of uniform markup rules as compared to third-degree price discrimination (Miravete, Seim, and Thurk 2014). States where private businesses own and operate the distribution and retail tiers are known as license states. License states often have ownership restrictions that govern not only cross-tier ownership, but also concentration with in a tier. The welfare effects of exclusivity arrangements in the beer industry in these states has been studied by Askar (2005), Sass (2005) and Sass and Saurman (1993). Other work has examined the stickiness of retail pricing using beer prices as an example (Goldberg and Hellerstein Forthcoming).

We examine the effect of a particular regulation called post and hold (PH), which governs pricing at the wholesale tier in 12 license states, on the structure of alcohol markets and the implications for alcohol taxes. PH requires wholesalers to submit a linear price schedule to the state regulator, and commit to that schedule for 30 days. The only other paper to directly examine the effect of post and hold policies, is Cooper and Wright (2012) who use state panel regressions to measure the impact that it has on the quantity of alcohol consumed and motor vehicle accidents. One way to understand this regulation is as a strong interpretation of the Robinson-Patman Act of 1936 which prevents wholesalers from price discriminating across competing retailers. Indeed, most proponents of the system cite the protection of small retail businesses as the principal benefit of the post and hold system. We show that the downside of PH is that it softens competition, and facilitates collusive pricing in the wholesale market.\footnote{Thus even the effects on small retailers may be ambiguous, as they trade off a potentially more competitive retail market against a less competitive wholesale market characterized by a cartel.} For consumers, PH leads to unambiguously higher prices, especially for more inelastically demanded (higher quality) products. Non-competitive pricing restricts quantity relative to a wholesale market without PH and distorts product choices. This implies that the state could increase tax revenues without increasing total ethanol consumption by repealing laws that dampen wholesale competition and increasing specific or ad valorem taxes such that the quantity was unchanged. If lawmakers were willing to allow quantity to rise, additional revenue could still be collected with part of the surplus currently lost to colluding wholesalers accruing to consumers.

Two major court decisions have recently affected the legal standing of PH. In Granholm v. Heald (2005) the Supreme Court struck down laws in New York and Michigan that allowed for within state direct shipments from wineries to consumers, but banned out of state shipments. Prior to Granholm, it was believed that the 21st Amendment granted states carte blanche and perhaps even immunity to Sherman Act cases when it came to regulating alcohol, but Granholm established that state alcohol regulations could be considered impermissibly discriminatory and subject to Congress’ commerce power, which defines the reach of federal antitrust laws. The PH system faced direct legal challenge in Costco v Hoen (2009) where the state of Washington’s liquor laws were subjected to scrutiny under the Sherman Act. The Ninth Circuit’s appellate decision affirmed that
"the post-and-hold scheme is a hybrid restraint of trade that is not saved by the state immunity doctrine of the Twenty-first Amendment."

This decision is important as a motivation for empirical work. Many of the 12 states that currently have PH laws (see Table 1) have considered modifying their alcohol laws in order to avoid Sherman Act litigation. Understanding both theoretically and empirically the extent to which various regulations in the alcoholic beverage industry represent restraints of trade or facilitate collusive practices and affect the level and distribution of surplus among the various tiers of the system, taxing authorities and the general public will help inform the decisions and actions of state regulators and lawmakers. Our empirical framework allows us to estimate how much of the surplus currently accruing to wholesalers could be captured by a taxing authority and how the number and type of tax instruments affect the revenue and distortions resulting from taxation.

We study the effects of PH and the potential for welfare enhancing counterfactual policies in the state of Connecticut, a license state. Liquor regulation in the state has come under increased scrutiny in recent years due to a growing awareness that prices in Connecticut are substantially higher than prices in surrounding states despite the fact that alcohol taxes are not appreciably higher.

After describing how alcoholic beverages are regulated and taxed in Section 2, we present models of how the provisions of PH affect the pricing decisions of wholesalers and how the state would optimally tax alcohol to restrain consumption in the absence of PH. The model illustrates how PH facilitates non-competitive pricing even among wholesalers with heterogenous costs and that optimal taxation would lead to lower markups of higher quality products than PH, meaning that even if total consumption was unchanged the state could raise substantially more revenue while still increasing consumer surplus. In Section 4 we first describe the new data we draw on from state and private sources describing monthly case shipments from manufacturers and Connecticut PH prices at the brand-bottle size level. We also print two pieces of descriptive evidence, which point to the effects PH on consumption patterns. First, we document that PH laws are associated with lower per capital alcohol consumption. Exploiting changes in state PH policy, we present panel regressions of per capital alcohol consumption for wine, beer and spirits. The estimates provide descriptive evidence that PH may reduce consumption of spirits by between 4% and 10%. Second, we show evidence of "downshifting" in consumer purchases—that is, relatively higher market shares of low quality brands—in PH states. Arranging products by their wholesale prices in Connecticut, we compare annual shipments in Connecticut and neighboring states without PH laws (Massachusetts) and with PH laws (New York and New Jersey). Regression results show that products with higher prices tend to have relatively lower sales in Connecticut than in Massachusetts, while the placebo test comparison of Connecticut and other PH states New Jersey and New York shows no pattern of downshifting.

Section 5 describes our demand model and reports parameter estimates. Our brand-bottle size
level data allows us to estimate the full matrix of cross-price demand elasticities for each spirits product category. We use these estimated demand elasticities to assess how different regulatory and tax policies would affect the size and distribution of social surplus. Early estimates suggest that holding aggregate ethanol consumption fixed, the specific tax could be increased by $12.60 to $18—a 230% increase—resulting in a 233.60% increase in tax revenue. Much of tax burden of this type of tax increase would fall on low end of the market as the tax increase would result for example in a $4.65 tax increase in 1.75L bottles of vodka regardless if the bottle were a low-end brand like Popov or a high-end brand like Grey Goose. Alternatively, without affecting total ethanol consumption, the state could roughly quintuple tax revenue by increasing the ad valorem tax rate from 6.6% to 35.7% (roughly in line with the flat 35% markup employed by Pennsylvania, an ABC state).

2 Overview of the Regulation and Taxation of Alcohol

2.1 Alcoholic Beverage Regulation

Alcohol markets are strongly regulated at the state level. Nearly every state has instituted a three-tier system of distribution where the manufacture, distribution and sales of alcoholic beverages are vertically separated. The alcoholic beverage industry is one of the few industries that is vertically separated by law. Some states, known as control states, operate part or all of the distribution and retail tiers. Alcohol is effectively sold by a state-run monopolist. Control states—also called Alcohol Beverage Control (ABC) states—have been the subject of recent empirical work examining the impact of state-run monopolies on entry patterns (Seim and Waldfogel 2013) and the effect of uniform markup rules as compared to third-degree price discrimination (Miravete, Seim, and Thurk 2014). States where private businesses own and operate the distribution and retail tiers are known as license states.\(^4\) License states often have ownership restrictions that govern not only cross-tier ownership, but also concentration with in a tier. The welfare effects of exclusivity arrangements in the beer industry in these states has been studied by Asker (2005), Sass (2005) and Sass and Saurman (1993). Other work has examined the stickiness of retail pricing using beer prices as an example (Goldberg and Hellerstein Forthcoming).

This paper focuses on several key regulations that govern how alcoholic beverages are sold and distributed in license states and their implications for alcohol taxation.

Post and Hold

\(^4\)In many states these private businesses are subject to a number of retail regulations sometimes referred to as blue laws. These regulations govern everything from what kinds of stores can sell alcoholic beverages (specialty package stores, supermarkets, convenience stores), what times of day and days of week alcoholic beverages can be sold, and whether or not coupons or promotions are allowed.
The Post and Hold system is designed to encourage uniform wholesale pricing. Under the PH system quantity discounts are prohibited, and wholesalers are required to provide the same linear price schedule to all retailers. This is implemented by requiring wholesalers to provide the regulator with a list of prices at which they will sell to retailer in the following period (usually a month). Wholesalers are generally not allowed to amend these prices until the next period. However, some PH states, including Connecticut also allow a lookback period, which allows wholesalers to amend prices downwards only, but not below the lowest price on the same item from the initial round. In Connecticut, this period lasts for four days after prices are posted. Many states, including Connecticut, have a formula that maps posted wholesale prices into minimum retail prices. This prevents retailers from pricing below cost (even to clear excess inventory).

The rationale behind proponents of many of these regulations is that they may protect small retailers from larger chain stores such as Costco. In this case, the PH system can be seen as a transparent way to ensure uniform pricing. Otherwise retailers might worry that prices “change” exactly when large customers place orders. The justification of the meet but not beat provision is a bit more unclear, but stems from fears that wholesalers may accidentally set a price that is too high, and risk losing sales for an entire month, since rapid price adjustments are no longer allowed. Another argument in favor of PH is that it simplifies the process of collecting excise taxes on alcoholic beverages. However, a consequence of these regulations may be a less competitive wholesale market; in which case retailers trade off facing discriminatory pricing and quantity discounts against a higher but uniform wholesale price. Thus the consequences of laws designed to protect retailers, may actually have ambiguous effects on retailer profits. Although PH and minimum retail markups may simplify excise tax collection, a less competitive wholesale market is a pre-existing market distortion that will consequently exacerbate the deadweight loss of and reduce the revenue raised by said taxes.

PH provisions effectively facilitate non-competitive pricing by wholesalers as shown in the next section. There is a large literature in Industrial Organization on collusion and cartel behavior related to the pricing behavior we see here. The bulk of the empirical collusion literature has examined explicit collusive agreements among competitors, rather than tacit collusion, ostensibly because the former is more likely to end up in court. Much of the theoretical literature has focused on when collusion can and cannot be sustained. For example Green and Porter (1984) examine the role of dynamics in understanding when and how collusive agreements are sustained and break down. The role of monitoring in maintaining collusive agreements is further explored in Sannikov and Skrzypacz (2007), Skrzypacz and Harrington (2005), or Harrington and Skrzypacz (2011). Another
part of the literature seeks to understand how to identify collusive practices from data. Much of this literature, as reviewed by Harrington (2008) and Porter (2005) focuses on detecting cartel behavior, often in procurement settings. Some well known public sector procurement examples include Porter and Zona (1993) Porter and Zona (1999) in the Ohio school milk cartel. Another non-procurement example is Porter (1983)'s seminal work on the Joint Executive Committee. More recent work has examined the distribution of rents and internal organization mechanisms within a cartel (Asker 2010). In theoretical work, Harrington (2011) examined the how the price posting mechanisms served to facilitate cartel behavior.

2.2 Alcoholic Beverage Taxation

Taxes comprise a substantial portion of the costs in the alcoholic beverages industry and have been an attractive source of new revenue for states in recent years. Both the federal government and most state governments (and even some localities) tax alcoholic beverage purchases. Taxes come in two forms. Specific taxes are related to the quantity sold but not the price while ad valorem taxes like retail sales taxes are proportional to the price charged. As shown by Auerbach and Hines (2003) in the presence of imperfect competition ad valorem taxes are generally welfare superior to specific taxes. These taxes are thought to serve two purposes: one, decrease consumption of alcoholic beverages in light of the negative externalities associated with alcohol, and two, provide a source of revenue to the government.

Specific taxes on alcohol are often tailored to the alcohol content and type of beverage, with different tax schedules applying to beer, wine, and distilled spirits; sometimes different sub-categories are taxed at different rates (high proof spirits or wine coolers for example). In distilled spirits, it is common to tax proof-gallons; which corresponds to a gallon of spirits that is 50% alcohol at 50 °F. Federal excise taxes are reported in Table 2, and state taxes for Connecticut and a set of comparable states are reported in Table 3. Some states include alcohol in their general retail sales tax base while others exclude alcohol from general sales taxes. There are some important facts to note. The first is that taxes are largely applied to the alcohol content, rather than the price of alcoholic beverages. This is true for both federal and Connecticut's alcohol excise taxes. Here a potential justification is that the pure alcohol is what causes negative externalities and should be taxed. However, as the tables indicate, taxes are substantially higher per unit of pure alcohol on distilled spirits than on beer or wine. Connecticut has similar taxes as other states on distilled spirits and wine, and relatively high taxes on beer. In fact, Connecticut has the second lowest beer consumption per capita (after Utah). Connecticut does subject retail purchases of alcoholic beverages to its state sales tax like the majority of states in the region. The final important point highlighted by this table is that federal taxes are much higher than state taxes. The federal government collects

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7 Connecticut, Kentucky, New Jersey, New York, North Carolina, Oregon have all increased their effective tax rates on alcohol while many other states considered similar increases in light of budget shortfalls.

8 See http://www.ttb.treasury.gov/forms_tutorials/fs11040/faq_instructions.html for a full description.
roughly a third more revenue from taxes on alcohol than the states collectively.

Prior work in the public finance literature has studied the effect of price changes on consumption and the incidence of alcohol taxes. Studies of the price elasticity of alcohol demand have found that beer, wine and spirit consumption are all price elastic, though there is a considerable range of estimates. Meta analyses and summaries by Wagenaar, Salois, and Komro (2009), Cook and Moore (2002), and Leung and Phelps (1993) conclude that the elasticity of spirits consumption may be as high as -1.5 or as low as -0.29. Other work has examined who bears the burden of alcohol excise taxes by estimating the the degree to which alcohol tax increases are passed on to consumers. Cook (1981) and Young and Bielinska-Kwapisz (2002) estimated pass-through rates above unity, and more recent work by Kenkel (2005) using establishment survey data found pass-through rates between 1 and 2 at off-premise establishments and as high as 3 to 4 in the cases of on-premise wine and spirits. Though these high pass-through rates suggest a non-competitive market structure, the role of state regulation in facilitating non-competitive pricing, and increasing pass-through rates and exacerbating the deadweight loss of taxes has not been previously explored.

Other parts of the literature have examined the public health impacts of alcohol taxes, with researchers finding that increases in alcohol taxes can decrease heavy-drinking and reduce the liver cirrhosis mortality rate in the short- and long-run (Cook and Tuachen 1982). Cook, Ostermann, and Sloan (2005) found that even factoring in the potentially negative impacts of curbing moderate drinking through tax increases does not change the fact that on average higher liquor prices reduce mortality rates. Given the public health benefits of lower average alcohol consumption, it is plausible that the state enjoys some public welfare enhancement from the reduction in total alcohol consumption that results from non-competitive pricing by wholesalers. As part of of our counterfactual simulations we examine how the allocation of surplus and tax revenue would differ if the state did not facilitate collusion through post and hold and instead increased specific and ad valorem taxes such that total quantity was unchanged.

2.3 Deadweight Loss of Alcohol Taxes and Post and Hold

The state of Connecticut like many other PH states levies taxes on a market already distorted by non-competitive pricing. As Harberger (1954) and Harberger (1964) establish, levying taxes on markets with pre-existing distortions such as imperfect competition will exacerbate the deadweight loss of the taxes. In the case of alcoholic beverages, however there is reason to believe that the state has an interest in restraining quantity due to the negative externality of alcohol consumption. In other words PH could actually be doing part of the work of optimal policy to reduce consumption—of course an optimal Pigouvian tax would raise tax revenue rather than directing surplus to the wholesale tier. The degree to which taxes levied with PH in place result in deadweight loss hinges on whether the quantity supplied by PH wholesalers exceeds the socially optimal quantity.

Although the empirical work considers the effects of non-competitive pricing and taxes on the
markets for different products simultaneously, the effect of market power on tax efficiency can be more clearly illustrated for a single market. Consider the distribution market for a single product $j$, for example, a particular brand and bottle size of vodka, where wholesalers supply and retailers demand units of spirits. Figures 1 and 2 detail the effects of levying a specific tax on an alcoholic beverage market where PH provides firms with full monopoly power. The general result that market power results in under-provision and thus affects marginal deadweight loss when a tax is levied, however, generalizes to the oligopoly case as well. Each unit of the alcoholic beverage entails a constant negative externality, leading the social marginal cost $SMC$ to exceed the private marginal cost of production $PMC$. Wholesale firms are assumed to face constant marginal costs—that is, they can buy any quantity they choose from the distiller at a fixed price per unit. Figure 1 considers the case where the quantity sold under PH, $Q^{PH}$, exceeds the socially optimal quantity, $Q^*$ while Figure 2 considers the case where PH over-restricts quantity such that $Q^{PH}$ is less than $Q^*$.

In the case of Figure 1, the negative externality of alcohol consumption leads to a deadweight loss of $A + B + C$ if firms priced competitively. The reduction in quantity due to non-competitive pricing reduces the deadweight loss to $A + B$. Levying a specific tax that shifts demand from $D_1$ to $D_2$ further reduces the deadweight loss to $A$, bringing the market closer to the socially optimal equilibrium quantity $Q^*$.

Figure 2 illustrates the case where PH leads wholesalers to reduce quantity below the socially optimal quantity $Q^*$. Note the magnitude of the externality, the distance between $SMC$ and $PMC$ is smaller. Here the market power of collusion creates a pre-existing distortion in the market before any taxes are levied. While the externality gives rise to a deadweight loss of $A$ under competitive pricing, under PH wholesalers over-restrict quantity below the socially optimal level, leading to excess burden $B$. This pre-existing distortion means that the tax leads to greater marginal deadweight loss—the trapezoid $C$. Note that if the same tax had been levied on a market with competitive firms and a separate Pigouvian tax fully correcting the externality, the deadweight loss of the tax would have been smaller than triangle $B$. The magnitude of the deadweight loss from market power, taxation or their combination hinges on the elasticity of demand; the more price sensitive consumers are, the larger the deadweight loss.

As our regression results in Section 4 show, states with PH regulations consume between 4% and 10% less spirits by volume than other states. Unless the residents of PH states consistently believe that the negative externality from alcohol consumption is larger than the residents of other states believe it to be and change those beliefs when PH is repealed, the lower consumption in these states suggests that PH is likely over-restricting alcohol consumption to a level below the social optimum. That is, our regression results suggest that Figure 2 is the more representative case and that taxes on alcohol in PH incur substantial deadweight loss due to pre-existing distortions from collusive behavior.
Figures 1 and 2 model a specific tax on on single product. Our analysis essentially sums the deadweight loss from imperfect competition and taxation across all product markets, taking into account the fact that wholesalers will react to taxes and PH provisions by optimally setting quantities according to the cross-price elasticities of their product portfolio.

3 Post and Hold, Non-Competitive Pricing & Optimal Tax Alternatives

3.1 Theoretical Model of Post and Hold

Consider the following two stage game with $N$ (wholesale) firms. In the first period, each firm submits a constant linear pricing schedule to the regulator. Firms are not allowed to set non-linear prices, or negotiate individual contracts, or price discriminate in any way. Before the beginning of the second period, the regulator distributes a book of all available prices to the same $N$ firms. During the second stage, firms are allowed to revise their prices with two caveats: a) prices can only be revised downwards from the first stage price b) prices cannot be revised below the lowest competitors' price for that item. Demand is realized after the second stage.

More formally, consider the case of a single homogenous product and index firms $i = 1, \ldots, N$. In the first stage firm $i$ sets a price $p_i^0$ and then in the second stage sets prices $p_i$ subject to the restrictions:

$$p_i \in [p^0_i, p^0_i] \quad \forall i \quad \text{where } p^0_i \equiv \min_j p^0_j$$

Suppose that consumer demand is described by $Q(P)$, then firms charging $p_i$ face:

$$D(p_i, p_{-i}) = \begin{cases} 0 & \text{if } p_i > \min_j p_j; \\ \frac{Q(p_i)}{\sum_k (p_k - p^0)} & \text{if } p_i = p^0_i. \end{cases}$$

If each firm has constant marginal cost $c_i$, then in the second stage firms solve:

$$p_i^* = \arg \max_{p_i \in [p^0_i, p^0_i]} \pi_i = (p_i - c_i) \cdot D(p_i, p_{-i})$$

which admits the dominant strategy:

$$p_i^* = \max\{c_i, p_i^0\} \quad \forall i$$

Now consider the first stage game, given the dominant strategy in the second stage it turns out
that an equilibrium choice for \( p_i^0 \) is:

\[
p_i^0 \in \left[ \max_{j \neq i} \{c_i, \min c_j\}, p_i^m \right]
\]  

(1)

An equilibrium is any price between the "limit price" and the price firm \( i \) would charge as the monopolist. In the second stage, firms match the lowest price in the first stage \( p_i^0 \) as long as it is above marginal cost, eliminating the business stealing effect in Bertrand competition.

For intuition, consider the case of symmetric constant marginal costs in what follows. One possible equilibrium is the monopoly pricing equilibrium. That is, all firms set \( p_i^0 = p^m \). Here there is no incentive to deviate. In the second stage, all firms split the profits (ignoring the potential of limit pricing). Cutting prices in the first stage merely reduces the size of the profits without any change to the division. Any upwards deviation in the first stage has no effect because it doesn't change \( p_i^0 \). Another possible equilibrium is marginal cost pricing. Here there is no incentive to cut one's price and earn negative profits. Also, no single firm can raise their price and increase \( p_i^0 \) as long as at least one firm continues to set \( p_i^0 = c \). There are a continuum of equilibria in between.

While it might appear to be ambiguous as to which equilibrium is played, there are several reasons to think that the monopoly pricing equilibrium is the most likely. First, this is obviously the most profitable equilibrium for all of the firms involved; that is, the monopoly pricing equilibrium Pareto dominates all others. However, Pareto dominance is often unsatisfying as a refinement because it need not imply stability. Second, the monopoly price is the only equilibrium to survive iterated weak dominance, Selten (1975)'s \( \varepsilon \)-perfect refinement, or Myerson (1978)'s proper equilibrium refinement. Third, this is a repeated game, played by the same participants month after month; there are no obvious benefits to deviating from monopoly pricing, and the regulator provides all of the monitoring and enforcement.

Thus we expect that firms will set their first stage prices at their perceived monopoly price \( p_i^m \) given their costs \( c_i \), and the post-adjustment price to be the lowest of the monopoly prices from the first stage \( p_i = \max\{c_i, p_i^m\} \).

**Theorem 1.** In the case of symmetric costs \( c_i = c, \forall i \), then the unique equilibrium of the single-period game to survive (a) iterated weak dominance and (b) \( \varepsilon \)-perfection is:

\[
\sigma(p_i^0, p_i) = (p_i^m, p_i^0) \quad p_i^0 = \min_i p_i^0
\]

*Proof in Appendix.*

### 3.1.1 Single Product with Heterogeneous Costs

In the case of heterogeneous costs, the first stage becomes a bit more complicated. Begin by ordering the firms by marginal costs \( c_1 \leq c_2 \cdots \leq c_N \). The market price \( \hat{p} \) will be set by the lowest cost firm.
Other players play the iterated-weak-dominant-strategy \( \sigma(p_0^0, p_i) = (p_i^n, \max\{p_0^0, c_i\}) \). The lowest cost player chooses \( p_i^0 \) to maximize the residual profit function:

\[
\hat{p} = \arg \max_{p_i^0 \in \{p_i^n, c_2, \ldots, c_n\}} \pi_i(p_i^0) = \frac{(p_i^0 - c_i) \cdot Q(p_i^0)}{\sum_k \mathbb{I}[c_k < p_i^0]}
\]

The low cost firm can choose either to play its monopoly price and split the market evenly with the number of firms for which \( c_i \leq p_i^n \) or it can set a lower price to reduce the number of firms who split the market. When the cost advantage of 1 is small we expect to see outcomes similar to the collusive outcome. As the cost advantage increases, it becomes more attractive for 1 to engage in limit-pricing behavior.

### 3.1.2 Heterogeneous Costs and Multiproduct Firms

We extend the single homogeneous good result to the case of heterogeneous costs, and multi product firms, but continue to consider a single static Bertrand game. Now for each product \( j \), the second stage admits the same form of a dominant strategy:

\[
p_{ij}^* = \max \{c_{ij}, p_{ij}^0\} \quad \forall i, j
\]

Firms now choose optimal strategies in first-stage prices, understanding what the outcome of the subgame will be, and facing both an \textit{ad valorem} tax \( \tau \) and a specific tax \( t \):

\[
\pi_i = \max_{p_{ij} \in J_i} \sum_{j \in J_i} (p_{ij}(1 - \tau) - c_{ij} - t) \cdot q_{ij}
\]

\[
\frac{\partial \pi_i}{\partial p_k} = q_{ik}(1 - \tau) + \sum_{j \in J_i} (p_{ij}(1 - \tau) - c_{ij} - t) \cdot \frac{\partial q_{ij}}{\partial p_k} = 0 \quad \forall i = 1, \ldots, N
\]

(2)

The insight from the homogenous goods case is that firms will not all operate by setting their FOC to zero. The idea is that firms act as a monopolist when decreasing prices, but act as price takers when increasing prices. In other words, for each firm \( i \) and each product \( j \) only the weaker condition that \( \frac{\partial \pi_i}{\partial p_k} \geq 0 \) holds, and it is not necessarily true that \( \frac{\partial \pi_i}{\partial p_k} \leq 0 \) for all \( i \).

If firms have sufficiently similar marginal costs\(^6\), no firm will engage in limit pricing and there will be a constant division of the market on a product by product basis (depending on how many firms sell each product). Let \( \lambda_{ij} \) be the share that \( i \) sells of product \( j \). Under a constant division, \( \lambda_{ij} \perp p_j \), we can write \( q_{ij} = \lambda_{ij} Q_j \) where \( Q_j \) is the market quantity demanded of product \( j \), so

\(^6\)Formally we need that \( c_{ij} \leq p_{ij}^0 \) for all firms \( i \) that sell product \( j \).
that:

\[ Q_k \lambda_{ik} (1-\tau) + (p_k(1-\tau) - c_{ik} - t) \cdot \frac{\partial Q_k}{\partial p_k} \lambda_{ik} + \sum_{j \in J_k} (p_j(1-\tau) - c_{ij} - t) \cdot \frac{\partial Q_j}{\partial p_k} \lambda_{ij} \geq 0 \quad \forall i = 1, \ldots, N \]

\[ Q_k (1-\tau) + (p_k(1-\tau) - c_{ik} - t) \cdot \frac{\partial Q_k}{\partial p_k} + \sum_{j \in J_k} (p_j(1-\tau) - c_{ij} - t) \cdot \frac{\partial Q_j}{\partial p_k} \lambda_{ik} \geq 0 \quad \forall i = 1, \ldots, N \]

Single Product Monopolist  Cannibalization

For each product \( k \), except in the knife-edge case, the first order condition holds with equality for exactly one firm \( i \). This establishes a least upper bound:

\[ Q_k (1-\tau) + (p_k(1-\tau) - t) \cdot \frac{\partial Q_k}{\partial p_k} + \min_{i \in J_k} \left[ -c_{ik} \frac{\partial Q_k}{\partial p_k} + \sum_{j \in J_k} (p_j(1-\tau) - c_{ij} - t) \cdot \frac{\partial Q_j}{\partial p_k} \lambda_{ik} \right] = 0 \quad (3) \]

Marginal Revenue  Opportunity Cost of Selling

Intuitively, the firm who sets the price of good \( k \) under post and hold is the firm for whom the opportunity cost of selling \( k \) is the smallest, either because of a marginal cost advantage, or because it doesn’t sell close substitutes. Given the derivatives of the profit function, the other firms would prefer to set a higher price, the price they would charge if they were a monopolist selling good \( k \). This arises because just like the single good case, firms can unilaterally reduce the amount of surplus (by cutting their first stage price), but no firm can affect the division of the surplus (since all price cuts are matched in the second stage).\(^{10}\)

The competitive equilibrium under post and hold results in prices at least as high as the lowest opportunity cost single product monopolist would have set, even though firms play a single period non-cooperative game.

We can also do some simple comparative statics. Assume we increase the number of firms who sell product \( k \). Normally this would lead to a decrease in price \( p_k \). However, unless the entrant has a lower opportunity cost of selling than any firm in the existing market, prices would not decline, and we would expect the division of surplus \( \lambda_k \) to be reduced for the incumbents to accommodate the entrant. If this raises the opportunity cost of selling for the lowest firm, then more wholesale firms might counterintuitively lead to higher prices.

Now consider the case of two upstream firms \( A \) and \( B \), who manufacture products and sell via distributors. Assume that \( A \) and \( B \) employ a constant linear price schedule, and distributors sell via a post and hold system. We can analyze the effect of different distribution arrangements. First, the post and hold system eliminates intrabrand competition. That is, without an opportunity cost advantage, adding distributors will not result in lower prices. If \( A \) and \( B \) share a common distributor,

\[^{10}\text{Again this presumes that } \lambda \text{ is fixed, and that firms do not engage in limit pricing to drive competitors out of the market.}\]
this softens the interbrand competition, as the distributor internalizes the effect that selling more of A may be stealing business from B (it increases the opportunity cost). Under post and hold, an exclusive distributor for each product might actually result in lower prices than under common agency.\textsuperscript{11}

3.1.3 Eliminating “Meet but not Beat” or “Lookback”

One advantage of the meet but not beat or look back provision in the CT post and hold system is that simplifies the equilibrium by creating a dominant strategy sub-game. Policymakers might be interested in the effect of maintaining the post and hold system but eliminating the meet but not beat provision. In that case, each period firms submit a linear price schedule, and are unable to adjust for 30 days, but without a second stage where prices are updated.

In general, analysis would require considering a repeated game, though the market would still have several features that facilitate non-competitive pricing. The price posting system provides both commitment and monitoring for wholesalers. This removes much of the difficulty (stemming from uncertainty) associated with maintaining a cartel such as in Green and Porter (1984), and is more similar to the stylized case of Stigler (1964). In addition, the stages of the game are relatively large discrete intervals. Given that the same firms repeatedly engage in the same pricing game month after month, it is reasonable to think that the folk theorem applies, and again any price between the fully collusive price and the Bertrand price could be an equilibrium. That is, firms could employ the grim-trigger strategy of marginal cost pricing, and use this as a threat to deter firms from deviating from the collusive price.

This prediction is less strong than under meet but not beat where we can refine away all but the monopoly pricing equilibrium in a single static game. From now on, we confine our analysis to the static game with the meet but not beat provision.

3.2 Optimal Tax Policy as an Alternative to Post and Hold

States raise substantial revenue from taxing alcoholic beverages through both specific and ad valorem taxes. Connecticut raised over $60M in 2012 from its specific tax alone.\textsuperscript{12} In taxing alcoholic beverages, the state could be advancing two potential goals. The first is to correct for the negative public health externalities arising from excessive consumption summarized by Cook and Moore (2002). The second is to raise revenue. We consider the optimal structure of alcohol taxes in the case where the state has only the single goal of addressing the externality and the case where the

\textsuperscript{11}Note: Common agency in general may increase or decrease prices, though usually it depends on hidden actions by downstream firms or multiple periods or more complicated contracts. For example, Rey and Vergé (2010) show how resale price maintenance can be used to eliminate both interbrand and intrabrand competition and cartelize the entire market with a series of nonlinear bilateral contracts.

state has dual goals of correcting the public health externality and raising revenue for budgetary reasons.

3.2.1 Optimal Alcohol Taxes

Consider the case where the state may want to raise tax revenue from alcohol purchases in addition to correcting the "atmospheric" negative externality arising from alcohol consumption. The negative externality here arises from the ethanol in alcoholic beverage products, x₁, x₂, ..., xₙ. Ethanol content may vary across products. The marginal damage of an additional unit of ethanol, however, is assumed to be identical across products—that is, while proof may vary across products the externality of ethanol consumption does not vary across alcoholic beverages. Each individual’s consumption decision is unaffected by the atmospheric externality.

The problem of optimally setting Ramsey taxes in the presence of externalities has been the subject of extensive previous work. We draw heavily on Diamond and Mirrlees (1971)’s discussion of optimal commodity taxation rules as well as Sandmo (1975)’s construction of the optimal tax on a single good in the presence of a production externality and independent demands, and Bovenberg and Goulder (1996)’s formulation in the presence of environmental externalities.

Here, a representative agent derives utility from his alcohol purchases, x₁, x₂, ..., xₙ but the ethanol content of each of these alcohol products also inflicts a negative externality. The state sets consumer prices, p₁, p₂, ..., pₙ, to maximize social surplus given its revenue requirement. The social benefit of consumption is the sum of the areas under the product demand curves, SB = \( \sum_{j=1}^{n} \int_0^{x_j} p_j(x_1, x_2, ..., x_{j-1}, Z_j, x_{j+1}, ..., x_n) dZ_j \), where p_j(·) is the inverse demand for product j and Z_j is the dummy of integration. The social cost, SC = SC(x₁, x₂, ..., xₙ), is the sum of the private cost to producers, C(x₁, x₂, ..., xₙ) plus whatever damage to public health and safety the negative externality of consumption inflicts. The state’s objective is to maximize the following Lagrangian expression:

\[
L = SB(x_1, x_2, ..., x_n) - SC(x_1, x_2, ..., x_n) + \lambda \left[ \sum_{j=1}^{n} p_j x_j - C(x_1, x_2, ..., x_n) - R \right]
\]

where R is the revenue is the state’s revenue requirement and \( \lambda \) is the shadow cost raising the marginal dollar of revenue.

Using \( MPC_i = \frac{\partial C}{\partial x_i} \) to represent the marginal private cost and separating the marginal social cost into marginal private and marginal external costs, \( MSC_i = \frac{\partial SC}{\partial x_i} = MPC_i + MEC_i \), it can be shown:
\[
\frac{p_i - (MPC_i + \frac{1}{1+\lambda} MEC_i)}{p_i} = -\frac{\lambda}{1 + \lambda \eta_{ii}} - \sum_{j \neq i} \frac{\eta_{ji} p_j x_j}{\eta_{ii} p_i x_i} \left[ \frac{p_j - (MPC_j + \frac{1}{1+\lambda} MEC_j)}{p_j} \right]
\]

(4)

Proof in Appendix

where \( \eta_{ji} \) is the uncompensated cross-price elasticity of demand for product \( j \) with respect to price \( p_i \).

The cross-price elasticities are not assumed to be zero, so the above expression does not reduce to the familiar Ramsey “inverse elasticity” rule. In other words, a change in the price of Grey Goose vodka can affect demand for Smirnoff vodka, or even affect demand for a product of a different ethanol content. Prices are marked up not relative to the marginal social cost but over the sum of private marginal cost and a fraction of the external cost. Product \( i \) will be marked up less if demand for \( i \) is relatively more elastic, but the mark-up also varies with whether product \( i \) is a substitute or complement for higher marginal external cost products. If \( i \), for example a flavored vodka which is generally only 70 proof, is a substitute for higher marginal external cost products, for example unflavored vodka which is generally 80 proof, all else equal, the state will lower the mark-up on \( i \).

In the case where the state seeks to only correct the negative externality of alcohol consumption, there is no revenue constraint, \( \lambda = 0 \), and the expression becomes:

\[
\frac{p_i - (MPC_i + MEC_i)}{p_i} = -\sum_{j \neq i} \frac{\eta_{ji} p_j x_j}{\eta_{ii} p_i x_i} \left[ \frac{p_j - (MPC_j + MEC_j)}{p_j} \right]
\]

(5)

and markups vary across products according to the product’s marginal contribution to the externality and whether a product is a net substitute for higher marginal external cost products.

3.2.2 The Additive Property and Principle of Targeting

In equation 4 the state’s mark-ups address both the externality and raise sufficient revenue across the \( n \) products to meet the state’s revenue requirement \( R \). We can also conceive of this as a two-part problem. As has been detailed by Sandmo (1975) and Oum and Tretheway (1988) and shown to be reasonably general by Kopczuk (2003), Dixit (1985)’s “Principle of Targeting” renders the correcting of externalities a problem that is independent of the optimal allocation of taxes across commodities to meet a revenue target.

The “additive property” yields the following policy prescription: first correct the externality using a Pigouvian tax, then apply optimal tax rates to the goods, taking into account the fact that the prices of the externality producing goods have been corrected by the Pigouvian tax and
these Pigouvian taxes raise revenue, reducing the amount to revenue the optimal commodity taxes must raise. The second part of the policy prescription is simply the standard second-best optimal Ramsey commodity tax problem where the price of alcohol has been increased to reflect its social cost and the revenue requirement has been reduced to reflect collections from the Pigouvian taxes. In other words the state can set a tax according to equation 5 to address the externality, then solve the typical Ramsey problem to raise revenue $R - R_P$ where $R_P$ is the revenue resulting from the Pigouvian taxes. The higher the marginal external cost of alcohol consumption, the higher the revenue resulting from the Pigouvian taxes and the smaller the Ramsey taxes as a share of the mark-ups.

3.2.3 Optimal Taxes vs. Monopoly Prices

A monopolist would of course solve a different problem; he or she would sets mark-ups to maximize profit without regard to the externality of alcohol consumption. The monopolist’s optimal mark-ups satisfy:

$$\frac{p_i - MPC_i}{p_i} = \frac{1}{\eta_i} - \sum_{j \neq i} \frac{\eta_{ij} p_j x_j}{\eta_i p_i x_i} \left[ \frac{p_j - MPC_j}{p_j} \right]$$  

(6)

Of course the monopolist’s rents may differ from $R$, the state’s desired revenue. If monopolist profits are at least as large as the state’s total revenue requirement, we can compare monopolist and state pricing in the case where they were extracting the same rents. Because the state’s mark-up is partly driven by the negative externality of alcohol consumption, the state’s mark-ups will typically be flatter across products of differing perceived quality, that is, demand elasticity, that have the same alcohol content.

Consider two products, Popov which is a call vodka and Grey Goose which is a premium vodka. Both products are 80-proof and though their substitutability with other products of differing marginal external costs are different, the state will base its markups for the two products in part on their similar alcohol content and similar marginal external damages. The monopolist on the other hand will set prices taking only the own- and cross-price elasticity of demand into account. For the same amount of total profit/tax revenue the monopolist will mark-up relatively inelastically demanded products like Grey Goose more than the state would. Thus even if the state’s revenue requirement was the same as the monopolist’s profit, the monopolist would distort product choices more than the state by over-marking up high-end products. The prices of Grey Goose and Popov would be more similar under the state’s mark-up scheme than the monopolists. The monopolist would charge a higher price for Grey Goose than the state would.
4 Data and Descriptive Evidence

4.1 Data

Our study of the alcoholic beverages industry makes sense of several data sources. The first data source comes from the Connecticut Department of Consumer Protection (DCP). From the DCP we obtained posted prices for each wholesaler and for each product for the period August 2007 - August 2013. In many, but not all cases we also observe information about the second “meet but not beat” stage of price updates. We merge this data source with another, proprietary data source obtained from the Distilled Spirits Council of the United States (DISCUS). The DISCUS data tracks monthly shipments from manufacturers to distributors for each product. Of the 506 firms who have submitted prices to the state of Connecticut DCP since 2007, the bulk sell exclusively wine, or beer and wine, and only 159 have ever sold any distilled spirits. Among those firms, the overwhelming majority sell primarily wine and distribute a single small brand of spirits. Because the DISCUS data track only shipments from the largest distillers (manufacturers) to distributors, only 18 of the firms overlap between the DCP and DISCUS datasets.\(^{13}\) However, these 18 firms include all of the major distributors in Connecticut, and comprise over 80% of sales by volume.\(^{14}\) Shipments from distillers to wholesalers do not necessarily happen for every product in every month, for lower volume products, shipments are often quarterly. In this case, we smooth the shipment data using 6 month moving averages.

We also use product-level data from the Killts Center Nielsen Scanner dataset. This dataset reports weekly prices and sales at the UPC level for 34 (mostly larger) retail liquor stores in the state of Connecticut. Unlike the shipment data, this does not provide a full picture of quantity sold. We use this data to verify the extent to which retailers are bound by the statewide minimum retail price, as well as using retail pricing information from neighboring states as instrumental variables in our analysis. These data also provide relative quantity information on non-DISCUS members.\(^{15}\)

In addition to product level data for Connecticut, we use state level aggregate data for some of the descriptive results. We use the National Institute on Alcohol Abuse and Alcoholism (NIAAA) U.S. Apparent Consumption of Alcoholic Beverages which tracks annual consumption of alcoholic beverages for each state in each year. We utilize additional data from the 2013 Brewer’s Almanac. The Brewer’s Almanac tracks annual shipments, consumption, and taxes at the aggregate level for each state each of the three major categories: Beer, Wine and Distilled Spirits. We also use the 2012 Liquor Handbook, provided by The Beverage Information Group. The Liquor Handbook

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\(^{13}\)The largest distillers who comprise the lion’s share of the spirits market are DISCUS members. DISCUS members include: Bacardi U.S.A., Inc., Beam Inc., Brown-Forman Corporation, Campari America, Constellation Brands, Inc., Diageo, Florida Caribbean Distillers, Luxco, Inc., Moet Hennessy USA, Patron Spirits Company, Pernod Ricard USA, Remy Cointreau USA, Inc., Sidney Frank Importing Co., Inc. and Suntory USA Inc.

\(^{14}\)Some of the largest non-DISCUS members include: Heaven Hill Distiller and Ketel One Vodka.

\(^{15}\)A major obstacle in dataset construction was matching products across the three (Nielsen Homescan, DISCUS, CT DCP) datasets, since there is no single system of product identifiers, and products had to be matched by name.
tracks aggregate shipments and consumption at the brand and state level. It tracks information like national market shares of spirits brands by category (Vodka, Rum, Blended Whisky, etc.), and relative consumption of states across spirits categories. We also use data from the Census County Business Patterns (CBP) which tracks the number of retail package stores, distributors, and bars and restaurants as well as employment.

Table 9 reports summary statistics for the data by product category. Data are summarized collectively for 750mL, 1L and 1.75L products. Rum products offer the lowest prices on average at $22.50 per bottle. Unsurprisingly, imported whiskies are the most expensive with an average price of $39.70. These prices reflect federal taxes levied on distillers but it is worth noting that scotch whiskies enjoy a zero tariff arrangement. Alcohol content is fairly similar across products, ranging from 71.02 proof (35.51%) to 87.79 proof (43.09%). The number of distinct products varies considerably across categories. While there are only 33 varieties of gin, there are 145 different imported whiskies and 211 varieties of vodka. These numbers, however, belie the true level of competition and better considered a measure of product variety. For example, many vodka products largely consist of different flavors offered by a small set of distillers. In Connecticut vodka sales comprise 42.38 percent of case sales—2.4 times the market share of the next most popular category, imported whiskey. Rum is the third most popular category and accounts for 16.23 percent of cases sold, followed by domestic whiskey at 12.40 percent; tequila and gin are much less popular and account for 5.60 and 4.87 percent of cases, respectively. Due to the similarity of alcohol content across products, the state specific tax is very similar across product categories. The difference in taxes is largely driven by price differences though there are exceptions. Imported whiskey, which has substantially higher prices, naturally is the most taxed product category with an average tax of $3.17. Tequila faces the second highest tax, $2.51 and has the second highest average price. Gin taxes, $2.45 on average, are slightly higher than domestic whiskey taxes, $2.40, despite lower average gin prices due to gin’s above average alcohol content. Vodka and rum face somewhat lower taxes, $2.20 and $2.00 due to lower alcohol content (percentage flavored) and lower prices.

4.2 Post and Hold and State Per Capita Alcohol Consumption

Because post and hold provisions likely lead to non-competitive pricing, it is natural to expect that these high prices lead to lower consumption. Work by Cooper and Wright (2012) has empirically shown that post and hold schemes reduce liquor consumption. We estimate similar state panel regressions in Table 5. We assembled a panel of annual state data measuring wine, beer and spirits consumption as well as demographic characteristics and of course the post and hold laws described in Table 1. The alcohol consumption data are from the National Institute on Alcohol Abuse and Alcoholism, which is part of the National Institutes of Health; the demographic information comes from the Census Bureau’s intercensal estimates. In all regressions the outcome of interest is apparent consumption per capita, where consumption is in ethanol equivalent gallons and the relevant
population is state residents age 14 and older. All regressions are estimated in logs. The first column reports estimates from a specification that only includes time and state fixed effects. Although all three coefficients are negative, suggesting that post and hold laws reduce consumption, only the coefficient on wine is significant. As time and state fixed effects are used, the identifying variation arises from changes in post and hold laws. Over the relevant 1983-2010 period, there were seven changes in post and hold laws for wine but only five and four changes in the laws for beer and spirits, respectively. Essentially, we likely have more power to detect the effect of post and hold in the wine market versus the beer or spirits markets. In column two the regression includes state demographic controls, namely, the log of the share of the population under age 18 and the log of median household income—two underlying factors that likely affect alcohol demand. The resulting estimates suggest that post and hold laws reduce wine consumption by six percent, beer alcohol consumption by three percent and spirits alcohol consumption by four percent. Column three adds linear state time trends.

Alcohol consumption, particularly spirits consumption declined during the 1980s, making controlling for this trend at the state level potentially important. Adding state time trends attenuates both the wine and beer coefficients, rendering the wine coefficient insignificant and the beer coefficient small but similar and significant. Interestingly, controlling for state-level trends increases the spirits coefficient, meaning that post and hold laws reduce spirits alcohol consumption by even more—nearly eight percent—once the general consumption trend is taken into account. Although the specification in column three includes state and year fixed effects, demographic and income controls as well as state time trends, the identifying variation comes from the handful of states switching their post and hold status—states moving away from post and hold. If states that adopt post and hold laws are fundamentally different from other states, this variation may be endogenous.

There is reason to believe the end of post and hold may be exogenous, as in several cases the law is overturned in judicial proceedings rather than through the legislature. Columns four and five seek to mitigate potential endogeneity by examining subsamples where the contrast is likely to be less stark. If endogeneity is a major concern, then the coefficients in these subsamples of more similar states should be smaller. Column four reports the results of a specification identical to column three, but only includes states that have ever had post and hold regimes—states that are likely to be more similar in attitudes towards alcohol. The wine coefficient is smaller than in either previous significant specification (columns one and two). The beer coefficient is somewhat smaller but overall very similar to previous estimates. In this sample, the spirits coefficient is actually larger, suggesting that post and hold laws reduce spirits alcohol consumption by 8.5 percent. Column five examines an even narrower set of states: those that ever had post and hold regimes and are located in the northeast. This subsample, of course, includes Connecticut, but more broadly the contiguous nature of the states makes systematics taste differences even less likely. The results again suggest that wine consumption is not significantly affected by post and hold laws—potentially because there
is a smaller scope for collusion among the many and varied wine distributors—while both beer and spirits alcohol consumption are. Estimates suggest that beer consumption is approximately three percent lower and spirits consumption is roughly ten percent lower under post and hold.

This provides descriptive evidence that post and hold may reduce consumption of spirits by between 4% and 10%, where the likely mechanism is through higher prices to consumers. Again, the important point is that those prices are not the result of higher taxes, but rather through a non-competitive wholesale market.

4.3 Post and Hold and Evidence of Non-Competitive Pricing

As Section 3 shows, one consequence of non-competitive pricing induced by the PH system is that we expect to observe very little price dispersion, because wholesalers match each other’s prices. In Figures 3 and 4 we present price data for the 96 best selling products over 71 month period beginning in September 2007 and ending in July 2013. Here a product is a brand of spirits in a particular bottle size, for example Bacardi Dark Rum in a 750mL bottle. Many of even these best-selling products are offered by a single wholesaler. Since examining the prices different wholesalers list for the same product in the same month provides the most compelling evidence of non-competitive pricing behavior, we limit our analysis to the 1,118 product-months where multiple wholesale firms price the same product. For 860 of these product-months two wholesalers list the product in the same month; three wholesalers offer the product in that month for the remaining 258 product-months. Figure 3 illustrates the similarity of prices offered by wholesalers. We measure price similarity using the relative price spread—the spread between the highest and lowest price for a given product in a given month divided by the mean price for the product. Figure 3 plots the distribution of the relative price spread for 1,118 product-months with multiple wholesalers listing their prices. The overwhelming majority—more than two-thirds—of product-months feature identical prices among all the wholesalers listing the product, or a relative spread of zero. More than 80 percent have relative spreads of less than 2.5 percent of the mean wholesale price. When multiple firms offer the same product, they nearly always price it almost identically.

In addition to the aggregate evidence, we can also follow the pricing behavior of different wholesalers in terms of a single product over time. Figure 4 tracks the prices of up to three different wholesale firms, Allan S Goodman Inc., Brescoim Barton, and Dwan & Co Inc., for four products: Smirnoff Vodka (1750mL), Johnnie Walker Black (750 mL), Johnnie Walker Black (1750 mL) and Dewar’s White Label Blended Scotch. The plots provide detailed evidence regarding the timing of price changes among the firms. In the case of Smirnoff (upper-left) Barton waited a few months to increase its first round price to match Goodman’s 2008 price increase. The two firms perfectly

16Because not all products are listed in all months, our data of 6,974 wholesale price observations describe 5,598 product-months. Of these 6,974 wholesale price observations, 4,480 prices are the only wholesale price for that product-month while 2,494 observations are the wholesale prices of multiple firms offering the exact same product in the same month.
timed their 2010/2011 price increase and decrease. Recall that these are first round prices—prices prior to the second round when firms can match the price of an undercutting competitor. The upper-right and lower-left panel describe pricing for Johnnie Walker Black in 1750mL and 750mL bottles, respectively. Goodman and Barton price nearly identically—only in mid-2007 and late-2008 is the Goodman line at all distinct from the Barton line. Dwan often prices identically, but not always. In particular, Dwan seems to miss some of the sudden Johnnie Walker price reductions. The last graph (lower-right) plots the prices of Barton and Dwan for Dewar’s White Label Blended Scotch (750mL). Dwan stopped offering the product in December 2012. Until then, Barton and Dwan offer identical prices for Dewar’s with rare exceptions in late-2007 and early-2008 as well as June and September 2009. The plotted prices in Figure 4 show that despite the fact there are multiple wholesale firms offering the same products in the same months, the prices are strikingly similar.

4.4 Post and Hold and Downshifting

A monopolist should take into account consumer demand for both ethanol content and “brand” or “quality” when setting prices, whereas a Pigouvian tax would apply only to the ethanol content. Therefore, we should expect to see higher relative prices on premium products in PH states than in other license states. As we show in Table 7, Connecticut has relatively low share of imported Vodka as a fraction of overall Vodka sales when compared to other Northeastern states. This should not be interpreted as direct evidence, but again merely suggestive of the sorts of distortions we expect to see under the post and hold system.

To quantify evidence of this “downshifting” in consumer purchases more directly, we provide some descriptive results using our pricing data from the state of Connecticut, as well as the DISCUS data on wholesale shipments. We can arrange products by their apparent prices in Connecticut and then compare annual shipments in both CT and neighboring states. We use the neighboring state of Massachusetts because it is similar both in geography and demographics, and is a license state without a post and hold law. Other similar neighboring states, such as New York and New Jersey have variants of the post and hold law. Under our null hypothesis of “no downshifting” we expect that the relative popularity of products in Connecticut and Massachusetts to be independent of price. That is $\frac{Q_{j,CT}}{Q_{j,MA}} \perp p_j$ for each brand $j$. We can test for this correlation with the following regression specification:

$$Q_{j,CT} = \alpha + \beta_0 Q_{j,MA} + \beta_1 P_{j,CT} + \beta_2 Q_{j,MA} P_{j,CT} + \epsilon_j$$  

(7)

where the null hypothesis of no downshifting is $H_0 : \beta_2 = 0$ vs $H_a : \beta_2 < 0$. We report results of this regression in Table 8. In general, brand-level sales in MA are highly predictive of sales in CT, but

\footnote{Our sample consists of all brand-years, for which the overall brand sales (across all years) exceeded 500 cases in Connecticut.}
products with higher prices tend to have relatively lower sales than their MA shares would predict. This result is insignificant when robust standard errors are included when all brands are included, but significant at 95% when we examine only Vodka brands. Not reported in Table 8, as a placebo test, we perform the same regression but use the neighboring post and hold states of NJ and NY, and in that setting, we find that $\beta_2$ is not statistically different from zero.

5 Estimating Demand and Assessing Counterfactual Policies

5.1 Demand Specification

For our empirical exercise we will focus only on the distilled spirits market. We do this because there are a relatively smaller number of products in the choice set and those products are relatively stable over time, unlike the wine market. Also, beer distribution is generally more complicated than distilled spirits distribution, as spoilage, weight to value, and exclusive distribution arrangements are all more important factors in beer than they are in spirits.

We consider a random utility model, in which it is common to decompose utility into three parts: a mean utility $\delta_{jt}$ which all agents agree on, an IID type I extreme value idiosyncratic shock $\epsilon_{ijt}$, and a component $\mu_{ijt}$ which induces correlation across brands within a consumer $i$ for product $j$ in month $t$:

$$ u_{ijt} = \delta_{jt} + \mu_{ijt} + \epsilon_{ijt} \tag{8} $$

This produces aggregate market shares:

$$ s_{jt} = \frac{\exp[\delta_{jt} + \mu_{ijt}]}{1 + \sum_k \exp[\delta_{kt} + \mu_{ikt}]} f(\mu_{ijt} | \theta) \tag{9} $$

This framework nests several well known demand models. For example, the plain logit model is the case where $\mu_{ijt} = 0$ for all $i, j, t$. If $\mu_{ijt} = \zeta_{ig}$ where $g$ denotes the group membership of product $j$ and $\zeta_{ig} + \epsilon_{ijt}$ has an GEV distribution, then we have the nested logit model. In both of those cases, the integral in (9) has a closed form and the model can be estimated via least squares. An more general model is the random coefficients model of Berry, Levinsohn, and Pakes (1995), which allows consumers to have correlated tastes for product characteristics or willingness to pay, and requires a numerical solution to the integral in (9).

It is common to decompose the mean utility of product $j$ in month $t$ into a function of observed characteristics $x_{jt}$, prices $p_{jt}$ and unobserved quality $\xi_{jt}$. In our setting a product denotes a brand-flavor-size combination (i.e.: 1.75L of Grey Goose Orange Flavored Vodka at 60 Proof).

$$ \delta_{jt} = x_{jt} \beta - \alpha p_{jt} + \xi_{jt} \tag{10} $$

23
The challenge, as pointed out by Berry (1994), is that the unobservable product quality $\xi_{jt}$ is typically correlated with prices $p_{jt}$. That is, there is something about Grey Goose Vodka which consumers prefer to Smirnoff Vodka beyond what is captured by the observable $x_{jt}$ characteristics (bottle size, flavor, proof, rating, etc.). The solution to the endogeneity problem as presented in Berry (1994) or Berry, Levinsohn, and Pakes (1995) is to provide instruments $z_{jt}$ that are correlated with prices but uncorrelated with unobserved quality so that $E[\xi_{jt}|z_{jt}] = 0$ and construct an GMM estimator.

In order to construct those moments, we consider two different types of instruments. The first set of instruments are the “Hausman” instruments, or the retail prices of the same products in neighboring states, which we obtain from the Nieslen Scanner dataset. These should serve as a measure of changes in the wholesaler's costs, as they may pick up changes in the prices charged by the upstream (multi)-national manufacturers/distillers such as Bacardi or Diageo. Because states may have markedly different market structures, these instruments may be more effective in isolating cost shocks than they are in other settings. The downside is that they may also pick up changes in demand such as a national advertising campaign. The other available set of instruments are the so-called “BLP” Instruments which exploit variation in the number and characteristics of products in each category across time in order to proxy for the changes in the degree of competition. For example, over time, there may be increased entry into premium imported whiskeys or flavored vodkas leading to increased competition.

It is also possible to allow the characteristics $x_{jt}$ in (10) to represent fixed effects, either for products or months. Monthly fixed effects allow us to control for overall seasonality in the demand for spirits, while product fixed effects control for the persistent component of unobserved quality. If product fixed effects are included as in Nevo (2000) then this changes the interpretation of the unobservable quality term $\delta_{jt} = x_{jt}\beta - \alpha p_{jt} + \xi_j + \xi_t + \Delta \xi_{jt}$, so that $\Delta \xi_{jt}$ represents the month specific deviation from the average product quality. This can substantially reduce the endogeneity problem, though it also means identification of $\alpha$ depends on price changes of individual products, rather than variation across products. The success of this approach relies on the frequency of price changes at the individual product level.

Because we observe prices and quantity at the wholesale level, and not the retail level, we assume that all retailers sell at the posted Connecticut minimum bottle price.\textsuperscript{18} There is anecdotal evidence the minimum bottle price is binding on high volume products, but potentially violated in the case of speciality products. Econometrically, this is helpful because it implies that retail prices are non-strategic, because pricing is effectively statewide and cannot exploit local variation in demand, or localized retail competition. Recall one of the stated purposes of the PH law is to protect small retailers from competition.

\textsuperscript{18}As a robustness test we also consider using recorded retail prices from the Nielsen Scanner data. This represents a smaller sample of (mostly larger) retailers but yields nearly identical estimates. For most products, the Nielsen retail prices track the minimum bottle prices very closely.
5.2 Alternative Vertical Model

Though it is not our main empirical specification, the vertical model of Breshnahan (1987) provides a helpful simplification, where we can obtain some analytic results for the role of taxation. In this setting a consumer $i$ has utility for brand $j$ as given by:

$$u_{ij} = \delta_j - \alpha_i p_j$$  \hspace{1cm} (11)

This model makes sense if consumers agree on a vertical ordering of products, but differ in their willingness to pay for quality. The potential advantage/disadvantage of this setup is that each product only competes with two other products (the next higher product and the next lower product) whereas with the logit error $\epsilon_{ijt}$ all products technically compete with one another. In general this model has trouble capturing substitution patterns when products have multiple dimensions of heterogeneity (like automobiles), but may be better in a product category like Vodka where the products are traditionally sorted by price points (Value, Well, Call, Premium, Super-Premium).

The vertical model is very easy to solve, and admits a convenient sufficient statistic representation; the consumer chooses $j$ IPP:\footnote{Note: this implies that any product with positive market share must have a higher $\delta_j$ than all products with a lower price.}

$$\frac{\delta_{j+1} - \delta_j}{p_{j+1} - p_j} \leq \alpha_i < \frac{\delta_j - \delta_{j-1}}{p_j - p_{j-1}} \hspace{1cm} (12)$$

And the share of consumers choosing product $j$ is:

$$s_j = F\left(\frac{\delta_j - \delta_{j-1}}{p_j - p_{j-1}}\right) - F\left(\frac{\delta_{j+1} - \delta_j}{p_{j+1} - p_j}\right) \hspace{1cm} (13)$$

And the share of consumers choosing any product is:

$$1 - s_0 = \sum_{j \neq 1} s_j = 1 - F\left(\frac{\delta_1}{p_1}\right) \hspace{1cm} (14)$$

This model of competition implies a few important points to guide our analysis. The first is that the total quantity of alcohol consumed depends only on $\frac{\delta_1}{p_1}$ or the price-quality ratio of the lowest quality (price) product. Moreover, since quality $\delta$, is fixed, the total quantity will depend only on the lowest price in the market, $p_1$, thus any intervention which leaves this price unchanged, will not affect overall consumption and thus tax revenue. Consumer welfare still depends on inframarginal substitution among products.

An important counterfactual to consider is one in which we abolish the post and hold pricing system and increase the per unit tax on liquor to hold the consumption of alcohol fixed. This lets
us measure the distortion caused by the post and hold system, without worrying about possible externalities associated with increased consumption of alcohol. Equation (14) tells us that any tax that keeps the \( p_1 \) constant will accomplish this goal.

The vertical model also suggests that if margins are larger in absolute terms on high-quality products than they are on low-quality products, a specific tax which holds quantity fixed will necessarily decrease the price of high quality goods (undoing the downshifting) and lead to increased consumer surplus. This of course comes at the expense of reduced producer surplus since the flat specific tax may be quite far from the optimal monopoly (Ramsey) prices.

5.3 Demand Estimates

We expect the most important product characteristics to be the product category (Vodka, Rum, Tequila, Gin, Whiskey), the bottle size (750mL, 1L, 1.75L), and the price. We present results from both a plain logit model with and without instruments for price, as well as a nested logit model with and without instruments for price and within category correlation. Our full model allows consumers to have heterogeneous tastes for each product category, as well as heterogeneous tastes for price. We have also considered allowing heterogeneity in taste for package size, though that type of heterogeneity is general insignificant and thus not included in our preferred specification.

Table 10 presents demand estimates from logit, nested logit and random coefficients logit models. The findings are consistent with the finding that most consumers substitute within a product category (i.e.: to other brands of Vodka) because the nesting parameter in the nested logit model is large. The demand estimates also indicate that there is negative association between quantity and price in the cross section, or that higher priced goods have lower market shares since including product fixed effects reduces the magnitude of the price coefficient. At the same time, there is also evidence of endogeneity caused by unobservable product quality, since including instruments increases the magnitude of the price coefficient. Finally, in our preferred random coefficients specification, demand slopes down for 99% of consumers since the standard deviation of the price coefficient is less than 2.5 times the value of the price coefficient.

5.4 Counterfactual Experiments

Our objective is to understand the social impact of the PH scheme employed by Connecticut and 11 other states and more broadly to understand the tradeoffs and interactions between market structure and taxation. To do this we propose two counterfactual experiments in which we eliminate the PH pricing system, and replace it with a perfectly competitive wholesale tier.

We first begin by establishing a baseline, where we compute the profits to the wholesaler under the existing PH system.\(^{20}\) To do this we use the estimates of demand, and the slope of demand to

---

\(^{20}\)The optimal scheme from a taxation perspective, might be to raise licensing (flat) fees on wholesalers so as to fully extract this surplus. An alternative to PH might be to auction monopoly rights as is sometimes done in public
recover marginal costs of the wholesaler using the FOC from \((3)\). We assume that all prices are set by a single multi-product monopolist rather than several competing wholesalers.

\[
c + t = p(1 - \tau) + \Omega(p)^{-1} \cdot q(p) \tag{15}
\]

Where \(\Omega(p)\) represents the \(J \times J\) Jacobian matrix of price derivatives \(\frac{\partial q_i}{\partial p_k}\). The tradition is to set cross price effects for products controlled by competing firms to zero, because firms play a collusive outcome, we allow all entries in the matrix to be non-zero. We should note that the specific tax enters the marginal cost estimate of the wholesaler, so that it represents the price paid to the manufacturer and the specific taxes paid to the state and federal governments, but not the \textit{ad valorem} sales taxes. With these cost estimates in hand, we can separate out the specific taxes using information on the bottle size and proof of each product.\textsuperscript{21} Once we have obtained estimates of \(c\), we can re-arrange \((15)\) under the assumption of a perfectly competitive wholesale tier \((\Omega(p)^{-1} \cdot q(p) = 0)\) and recompute prices under an alternative system of taxes: \(p = \frac{c + t}{1 - \tau}\).

Table 11 presents estimates of the marginal impact on consumption of different marginal changes in tax policy with PH in place and in a market with a perfectly competitive wholesale tier. We assume that under PH, wholesalers pass 100 percent of a tax increase on to consumers. The upper row of numbers for each policy change describes the reduction in terms of the percentage change in bottles of spirits purchased, while the lower set of numbers (Consumption) describes the percentage reduction in proof-gallons of ethanol consumed. Doubling the specific tax on spirits in Connecticut to $10.80 per proof-gallon would reduce ethanol consumption by 1.275 percent (0.867 percent reduction in bottles purchased) if the PH provisions where left in place; doubling the specific tax would reduce ethanol consumption by 2.081 percent (2.305 percent fewer bottles) under perfect competition. Under PH much of the elastic part of the demand curve is already affected by the PH markup—the taxes are only really affecting the less elastic portion of the curve. Under PH the consumption-reduction comes from fairly high-proof products—thus ethanol consumption declines more than bottle purchases. Under perfect competition, the market is only affected by the tax—premium products are not already marked up by PH—so consumption reductions are similar at all quality levels and ethanol and bottle consumption decline more proportionately.

Doubling the sales tax on the other hand, would reduce ethanol consumption by 3.949 percent (bottles purchased by 4.060 percent) under PH but only by 1.228 percent (bottles purchased by 1.302 percent) under perfect competition—the high prices of PH on high-end brands lead consumers to be more sensitive to price increases. A flat $1 increase in all prices has slightly different effects than increasing the specific tax because it would mean a much larger relative increase in after-tax prices for low-price low-ethanol products. The final row of Table 11 reports the impact of simply

\[\text{utilities.}\]

\[\text{\textsuperscript{21}The specific taxes can be calculated as 0.264 \times Liters \times Proof \times TR where TR represents the specific tax rate in proof gallons, which is $5.40 in CT and $13.50 at the Federal level.}\]
repealing PH and not changing any other policies. Consumption would rise by 4.8651 percent—
a number very much in line from our panel regressions of the effect of PH on state per capita
consumption in Section 4.

In our first full counterfactual experiment, we replace PH with a perfectly competitive wholesale
tier and then increase the specific taxes until the aggregate ethanol consumption remains the same
as under PH. In our second experiment we instead increase the ad valorem sales tax until quantity
falls to the PH level. In both cases we look at both the change in consumer surplus (in aggregate)
and distributionally, and we also measure the fraction of wholesaler surplus that the government is
able to capture with taxation.

We choose to increase taxes to the point where aggregate quantity consumed remains fixed,
because it allows us not to take a stand on the negative externality of alcohol consumption. This
works so long as the externality is “atmospheric” and does not depend on which individual consumes
alcohol, or which brands are consumed, only the aggregate quantity. In order to make statements
about social surplus, we assume that the pre-existing levels state and federal specific taxation—
which are levied on proof-gallons of alcohol—are the Pigouvian levels which perfectly capture the
social cost of alcohol consumption.22

Theory predicts that replacing the PH system with taxation should leave consumers as a whole
better off, though there may be some distributional effects where most of the benefits accrue to
consumers of high-quality products or products where wholesale margins are large, and some of
these benefits may come at the expense of consumers of lower quality products. Theory also predicts
that the government will only be able to capture a fraction of the surplus that non-competitive
wholesale tier was able to capture. This is because of the relationship between the problem of
the multi-product monopolist and that of optimal (Ramsey) taxation. The monopolist is able to
utilize information about substitution and demands for individual products when setting prices
and maximizes revenue for a given level of deadweight loss. The government is left with the less
sophisticated tools of a specific tax on quantity, and a single sales tax. Thus we expect social surplus
to be lower under the two tax increases than under the post and hold system. Both the government
and consumers gain at the expense of the private producer surplus, so these still serve as potentially
useful policy results.

Table 12 reports the full effects of these counterfactual policies. The state of Connecticut could
increase the specific tax by $12.61 to more than $18 per proof gallon on alcohol—more than tripling
the current tax—and match the quantity of alcohol sold under PH. The tax would be highly
regressive as nearly all of the burden would fall on the low end of the market. There state would
add $4.65 on to the cost of each 1.75L bottle of vodka, but this tax would be a larger price increase
for consumers of say Popov vodka with sells for $10.99 than for consumers of Grey Goose which
sells more roughly twice the price. In fact, the combination of repealing PH and levying the higher

22This is straightforward to relax, or replace with other levels of Pigouvian taxation.
specific tax would leave consumers of some high end products better off. The price of Grey Goose for example would fall since the monopoly markup, which was roughly $16 for a 1.75L bottle, far exceeded the specific tax increase. Alternatively, the state could increase its ad valorem tax on alcohol from 6.6 percent to 35.7 percent and leave consumption unchanged. While this may seem to be a very large increase increase in the sales tax rate, it is very much in line with Pennsylvania’s 35 percent fixed mark-up. By raising the specific tax the state would more than triple state revenues from alcohol taxes and capture 45.38% of the wholesalers’ current revenues. Though total ethanol consumption would be same as under PH, consumer surplus increases by 2.44% because the state does not markup up high-end products as much as the non-competitive wholesalers did, reducing distortions to consumptions decisions. Interestingly, the state can do much better on all measures by increasing the sales rather than the specific tax. Increasing the sales tax yields more than six times the state’s current alcohol tax revenues, while still boosting consumer surplus by 8.19%. Using the sales tax, the state can capture more than 98% of wholesaler revenues under PH.

We also consider a second set of counterfactual experiments where we instead assume that the pre-existing specific taxes are at the Pigouvian levels, and raise the ad valorem tax to the point where consumer surplus is the same as under post and hold. This lets us understand how much revenue the government could raise at the preexisting levels of distortions in the market. We can also repeat this exercise raising the less efficient specific tax.
References


Appendix

Proof for Theorem 1(a)
Consider a two-stage strategy of the form \( \sigma_i(p_i^0, p_i^1) \). The second stage admits the unique dominant strategy where all players set \( p_i^{1*} = \max\{c_i, p_i^0\} \) where \( p_i^0 = \min_i p_i^0 \). For strategies of the form: \( \sigma_i(p_i^0, p_i^1): \sigma_i(p_i + \epsilon, p_i^0) \geq \sigma_i(p_i, p_i^0) \) for \( p_i \in [c_i, p_i^m] \). By induction the unique Nash Equilibrium to survive iterated weak dominance is \( \sigma_i(p_i^m, p_i^0) \).

Optimal Alcohol Taxes

A representative agent derives utility from his alcohol purchases, \( x_1, x_2, \ldots, x_n \) but the ethanol content of each of these alcohol products also inflicts a negative externality. The state sets consumer prices, \( p_j = t_j + q_j \), where \( t_j \) is the product specific tax and \( q_j \) is the producer price. The social benefit of consumption is the sum of the areas under the product demand curves, \( SB = SB(x_1, x_2, \ldots, x_n) = \sum_{j=1}^{n} \int_{x_{j-1}}^{x_j} p_j(x_1, x_2, \ldots, x_{j-1}, Z_j, x_{j+1}, \ldots, x_n)dx_j \), where \( p_j() \) is the inverse demand for product \( j \) and \( Z_j \) is the dummy of integration. The social cost, \( SC = SC(x_1, x_2, \ldots, x_n) \), is the sum of the private cost to producers, \( C(x_1, x_2, \ldots, x_n) \) plus whatever economic cost the negative externality of consumption inflicts. The state’s objective is to maximize the following Lagrangian expression:

\[
L = SB(x_1, x_2, \ldots, x_n) - SC(x_1, x_2, \ldots, x_n) + \lambda \left[ \sum_{j=1}^{n} p_j x_j - C(x_1, x_2, \ldots, x_n) - R \right]
\]

where \( R \) is the revenue is the state’s revenue requirement and \( \lambda \) is the shadow cost raising the marginal dollar of revenue. There are two sets of first-order conditions for this constrained optimization problem. The first applies to the Lagrangian multiplier, \( \lambda \):

\[
\frac{\partial L}{\partial \lambda} = 0 = \sum_{j=1}^{n} p_j x_j - C(x_1, x_2, \ldots, x_n) - R
\]

meaning that the budget constraint must be satisfied. The second set of conditions applies to the prices, \( (p_1, p_2, \ldots, p_n) \):

\[
\frac{\partial L}{\partial p_i} = 0 = \sum_{j} p_j \frac{\partial x_j}{\partial p_i} - \sum_{j} \frac{\partial SC}{\partial x_j} \frac{\partial x_j}{\partial p_i} + \lambda \left[ x_i + \sum_{j} p_j \frac{\partial x_j}{\partial p_i} - \sum_{j} \frac{\partial C}{\partial x_j} \frac{\partial x_j}{\partial p_i} \right]
\]

If we denote the marginal social cost by \( MSC_j = \frac{\partial SC}{\partial x_j} \) and the marginal private cost by \( MPC_j = \frac{\partial C}{\partial x_j} \) and collect terms, the expression becomes:

\[
0 = \sum_{j} (p_j - MSC_j) \frac{\partial x_j}{\partial p_i} + \lambda \left[ \sum_{j} (p_j - MPC_j) \frac{\partial x_j}{\partial p_i} + x_i \right]
\]
Or in elasticity terms,

\[ 0 = \sum_j (p_j - MSC_j) \eta_{ji} \frac{x_j}{p_i} + \lambda \left[ \sum_j (p_j - MPC_j) \eta_{ji} \frac{x_j}{p_i} + x_i \right] \]

Separating product \( i \) from the rest of the \( j \) products, and dividing through by \( \eta_{ii} x_i \) yields:

\[ 0 = \sum_{j \neq i} \frac{p_j - MSC_j}{p_i} \frac{\eta_{ji} x_j}{\eta_{ii} x_i} + \lambda \sum_{j \neq i} \frac{p_j - MPC_j}{p_i} \frac{\eta_{ji} x_j}{\eta_{ii} x_i} + \frac{x_i - MSC_i}{p_i} + \lambda \frac{p_j - MPC_j}{p_i} + \frac{\lambda}{\eta_{ii}} \]

which can be rearranged into:

\[
\frac{p_i - (1 + \lambda) MSC_i + \frac{\lambda}{1 + \lambda} MPC_i}{p_i} = \frac{1}{1 + \lambda \eta_{ii}} \sum_{j \neq i} \frac{\eta_{ji} p_j x_j}{\eta_{ii} p_i x_i} \left[ \frac{p_j - (1 + \lambda) MSC_j + \frac{\lambda}{1 + \lambda} MPC_j}{p_j} \right] \]

Since the marginal social cost is the sum of the marginal private cost and the marginal external cost (the decline in public health and safety from marginally more consumption of product \( i \)), \( MSC_i = MPC_i + MEC_i \), we can simplify the expression:

\[
\frac{p_i - (MPC_i + \frac{1}{1 + \lambda} MEC_i)}{p_i} = \frac{1}{1 + \lambda \eta_{ii}} \sum_{j \neq i} \frac{\eta_{ji} p_j x_j}{\eta_{ii} p_i x_i} \left[ \frac{p_j - (MPC_j + \frac{1}{1 + \lambda} MEC_j)}{p_j} \right] \]

In the case where the state seeks to only correct the negative externality of alcohol consumption, there is no revenue constraint, \( \lambda = 0 \), and the expression is:

\[
\frac{p_i - (MPC_i + MEC_i)}{p_i} = \sum_{j \neq i} \frac{\eta_{ji} p_j x_j}{\eta_{ii} p_i x_i} \left[ \frac{p_j - (MPC_j + MEC_j)}{p_j} \right] \]

### A.2 Alternative RCNL Specification

As an alternative to the random coefficients model with heterogeneous tastes for each category, we also consider a Nested Logit model with nests for each category that incorporates a random coefficient on price. The RCNL model is analyzed in Grigolon and Verboven (2013), which generalizes both nested logit and random coefficients logit models. We allow for consumers \( i \) when choosing products \( j \) in month \( t \) to have correlated tastes for both product category \( g \), price and size.

Consumers \( i \) have a utility for a particular product \( j \) in market \( t \) given by:

\[
\begin{align*}
    u_{ijt} &= \delta_{jt} + x_{jt} \Sigma \nu_i + \varepsilon_{ijt} \\
    \varepsilon_{ijt} &= \zeta_{igt} + (1 - \rho) \varepsilon_{ijt}
\end{align*}
\]

where \( \varepsilon_{ijt} \) is IID Type I extreme value, and \( \zeta_{igt} \) is distributed such that \( \varepsilon_{ijt} \) is also Type I extreme
value and mean utility \( \delta_{jt} = x_{jt}\beta - \alpha p_{jt} + \xi_{jt} \), where \( \xi_{jt} \) is the unobservable quality term. The nested logit inclusive value term now depends on the consumers type \( i \):

\[
I_{ig} = (1 - \rho) \ln \sum_{j \in J_{ig}} \exp \left( \frac{\delta_{jt} + x_{jt} \Sigma \nu_i}{1 - \rho} \right)
\]

\[
IV_i = \ln(1 + \sum_{g=1}^{G} \exp I_{ig})
\]

Which leads to type specific shares, and aggregate shares:

\[
s_{ijt}(\delta_{t}, \theta, \nu_i) = \frac{\exp[(\delta_{jt} = +x_{jt}\Sigma \nu_i)/(1 - \rho)]}{\exp[I_{ig}]/(1 - \rho)]} \frac{\exp[I_{ig}]}{\exp[I_{i}]} \]

\[
s_{jt}(\delta_{t}^k(\theta), \theta) = \int s_{ijt}(\delta_{t}, \theta, \nu_i)f(\nu_i)
\]

The system share equations in (18) can be solved for \( \delta \) using the dampered contraction mapping as demonstrated by Cardell (1997) or Berry and Pakes (2001) and verified in Grigolon and Verboven (2013). The modified contraction mapping is given by:

\[
\delta_{t}^{k+1}(\theta) = \delta_{t}^{k}(\theta) + \ln s_{t} - (1 - \rho) \ln s_{t}(\delta_{t}^{k}(\theta), \theta)
\]

We construct moments from (18) and estimate \( \theta = [\rho, \Sigma] \) via GMM. Notice that if \( \rho \rightarrow 0 \) this reduces to the random coefficients logit model, and if the elements of \( \Sigma \rightarrow 0 \) then this reduces to the nested logit model

### A.3 Surplus Calculations

Given estimates of \( c_t \), under random coefficients logit demands we obtain the tax level \( t^* \) (where \( p_{kt} \) denotes the tax inclusive market price) which sovles:

\[
\int \frac{1}{1 + \sum_k \exp[\alpha^T_{t} x_{kt} - \alpha^P p_{kt} + \xi_{kt}]} f(\alpha_t | \alpha, \Sigma) = \int \frac{1}{1 + \sum_k \exp[\alpha^T_{t} x_{kt} - \alpha^P (c_{kt} + t^*) + \xi_{kt}]} f(\alpha_t | \alpha, \Sigma)
\]

As an aside, the proportional substitution property of the logit model implies that:

\[
\log \left( 1 + \sum_k \exp[\alpha^T_{t} x_{kt} - \alpha^P p_{kt} + \xi_{kt}] \right) = \log \left( 1 + \sum_k \exp[\alpha^T_{t} x_{kt} - \alpha^P (c_{kt} + t^*) + \xi_{kt}] \right)
\]

Or that in the absence of heterogeneity, any tax which replaces post and hold that maintains fixed aggregate consumption, also implies that it holds fixed consumer surplus; which also implies that it decreases social surplus since the monopolist was revealed to prefer a different price. For each of these counterfactual experiments we calculate the consumer surplus, producer surplus and government revenue at equilibrium prices and quantities. Given the tax level, we can trivially compute the change in revenue as \( \Delta GR = (t^* - t^{PH})Q \) after eliminating the post and hold regulation, any product sold by more than one wholesaler results in \( p_j = m c_j \) which implies that there are no wholesaler profits \( \Delta PS = -(p - c) \cdot q(p) \). Under a given regulation and tax regime, consumer
surplus (CS) is given by:

$$\Delta CS = \int \log \left( \frac{1 + \sum_k \exp[\alpha_t^p x_{kt} - \alpha_t^p p_{kt} + \xi_{kt}]}{1 + \sum_k \exp[\alpha_t^p x_{kt} - \alpha_t^p (c_{kt} + t^*)\xi_{kt}]} \right) f(\alpha_t | \alpha, \Sigma)$$  \hspace{1cm} (21)

By holding aggregate consumption fixed we don't worry about the externality $H(Q)$ or $H'(Q)$. 
Figure 1: Taxation under Post and Hold with Large Externality
Figure 2: Taxation under Post and Hold with Small Externality
Figure 3: Price Spreads As A Fraction of Mean Bottle Price for Each Product-Month

Figure 4: Bottle Price Over Time, by Product
Figure 5: Change in Shares: Specific Taxes (750mL)

Figure 6: Change in Shares: Sales Taxes (750mL)
Figure 7: Price Comparison Before and After PH
Table 1: States with Post and Hold Laws

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Table 2: Federal Excise Taxes on Alcoholic Beverages

<table>
<thead>
<tr>
<th>Product Type</th>
<th>Tax</th>
<th>Tax Per Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>Beer</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Regular Rate</td>
<td>18</td>
<td>0.05</td>
</tr>
<tr>
<td>Microbrew Rate</td>
<td>7</td>
<td>0.02</td>
</tr>
<tr>
<td>Wine</td>
<td>Wine Gallon</td>
<td>750mL Bottle</td>
</tr>
<tr>
<td>14% or Less</td>
<td>1.071</td>
<td>0.21</td>
</tr>
<tr>
<td>Over 14 to 21%</td>
<td>1.571</td>
<td>0.31</td>
</tr>
<tr>
<td>Over 21 to 21%</td>
<td>3.151</td>
<td>0.62</td>
</tr>
<tr>
<td>Naturally Sparkling</td>
<td>3.4</td>
<td>0.67</td>
</tr>
<tr>
<td>Artificially Carbonated</td>
<td>3.301</td>
<td>0.65</td>
</tr>
<tr>
<td>Hard Cider</td>
<td>0.2261</td>
<td>0.04</td>
</tr>
<tr>
<td>Distilled Spirits</td>
<td>Proof Gallon</td>
<td>750mL Bottle</td>
</tr>
<tr>
<td>All</td>
<td>13.5</td>
<td>2.14 (at 80 Proof)</td>
</tr>
</tbody>
</table>
Table 3: Comparison of State Alcohol Taxes (per gallon)

<table>
<thead>
<tr>
<th>State</th>
<th>Still Wine</th>
<th>Sparkling Wine</th>
<th>Beer</th>
<th>Distilled Spirits</th>
<th>State Sales Tax</th>
</tr>
</thead>
<tbody>
<tr>
<td>Connecticut</td>
<td>$0.72 under 21%</td>
<td>$1.80</td>
<td>0.24</td>
<td>$5.40 for 7% or more</td>
<td>6.35%</td>
</tr>
<tr>
<td></td>
<td>$1.80 21% or more</td>
<td></td>
<td></td>
<td>$2.46 for less than 7%</td>
<td></td>
</tr>
<tr>
<td>Maine</td>
<td>$0.60 15.5% and less</td>
<td>$1.25</td>
<td>$0.35</td>
<td>markup + $1.25</td>
<td>7%</td>
</tr>
<tr>
<td></td>
<td>15.5% or more sold by state</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Massachusetts</td>
<td>$0.55</td>
<td>$0.70</td>
<td>$0.11</td>
<td>$4.05 if over 15%</td>
<td>repeated</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>$1.10 if under 15%</td>
<td></td>
</tr>
<tr>
<td>New Hampshire</td>
<td>66% markup</td>
<td>61% markup</td>
<td>$0.30</td>
<td>47.5% markup</td>
<td>no sales tax</td>
</tr>
<tr>
<td>New Jersey</td>
<td>$0.875</td>
<td>$0.875</td>
<td>$0.12</td>
<td>$5.50</td>
<td>7%</td>
</tr>
<tr>
<td>New York</td>
<td>$0.30</td>
<td>$0.30</td>
<td>$0.14</td>
<td>$6.44 24% or more</td>
<td>4%</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>$2.54 less than 24%</td>
<td></td>
</tr>
<tr>
<td>New York City</td>
<td>$0.30</td>
<td>$0.30</td>
<td>$0.26</td>
<td>$7.44 24% or more</td>
<td>4%</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>$3.54 less than 24%</td>
<td></td>
</tr>
<tr>
<td>Pennsylvania</td>
<td>30% markup + 18%</td>
<td>30% markup + 18%</td>
<td>0.08</td>
<td>30% markup + 18%</td>
<td>6%</td>
</tr>
<tr>
<td>Rhode Island</td>
<td>$0.60</td>
<td>$0.75</td>
<td>$0.10</td>
<td>$3.75</td>
<td>7%</td>
</tr>
<tr>
<td>Vermont</td>
<td>0.55</td>
<td>0.55</td>
<td>0.27</td>
<td>markup + 25%</td>
<td>on-promise</td>
</tr>
</tbody>
</table>

Table 4: Case and Bottle Pricing

<table>
<thead>
<tr>
<th>Brand</th>
<th>Size</th>
<th>Case Count</th>
<th>Bottle Price</th>
<th>Case Price</th>
<th>Minimum Markup (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Johnnie Walker Red</td>
<td>1.75L</td>
<td>6</td>
<td>36.99</td>
<td>219.46</td>
<td>1.11</td>
</tr>
<tr>
<td>Johnnie Walker Red</td>
<td>1.0L</td>
<td>12</td>
<td>24.99</td>
<td>275.92</td>
<td>7.98</td>
</tr>
<tr>
<td>Johnnie Walker Red</td>
<td>750mL</td>
<td>12</td>
<td>20.99</td>
<td>250.92</td>
<td>0.38</td>
</tr>
</tbody>
</table>
Table 5: Post and Hold Laws and State Alcohol Consumption

<table>
<thead>
<tr>
<th></th>
<th>(All)</th>
<th>(All)</th>
<th>(All)</th>
<th>(PH only)</th>
<th>(PH NE)</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Wine</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>PH</td>
<td>-0.0545***</td>
<td>-0.0623***</td>
<td>-0.0229</td>
<td>-0.0345*</td>
<td>-0.00430</td>
</tr>
<tr>
<td></td>
<td>(0.0183)</td>
<td>(0.0183)</td>
<td>(0.0192)</td>
<td>(0.0190)</td>
<td>(0.0340)</td>
</tr>
<tr>
<td><strong>R^2</strong></td>
<td>0.965</td>
<td>0.966</td>
<td>0.984</td>
<td>0.986</td>
<td>0.984</td>
</tr>
<tr>
<td><strong>Beer</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>PH</td>
<td>-0.0155</td>
<td>-0.0283***</td>
<td>-0.0242**</td>
<td>-0.0201**</td>
<td>-0.0276**</td>
</tr>
<tr>
<td></td>
<td>(0.0113)</td>
<td>(0.0107)</td>
<td>(0.0095)</td>
<td>(0.0081)</td>
<td>(0.0129)</td>
</tr>
<tr>
<td><strong>R^2</strong></td>
<td>0.891</td>
<td>0.905</td>
<td>0.960</td>
<td>0.960</td>
<td>0.991</td>
</tr>
<tr>
<td><strong>Spirits</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>PH</td>
<td>-0.00702</td>
<td>-0.0423**</td>
<td>-0.0787***</td>
<td>-0.0854***</td>
<td>-0.0979***</td>
</tr>
<tr>
<td></td>
<td>(0.0175)</td>
<td>(0.0168)</td>
<td>(0.0180)</td>
<td>(0.0187)</td>
<td>(0.0278)</td>
</tr>
<tr>
<td><strong>R^2</strong></td>
<td>0.950</td>
<td>0.955</td>
<td>0.982</td>
<td>0.976</td>
<td>0.986</td>
</tr>
</tbody>
</table>


Standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

Table 6: Post and Hold Laws and Alcohol Retailing

<table>
<thead>
<tr>
<th></th>
<th>2010 Only</th>
<th>All</th>
<th>All</th>
<th>Northeast</th>
</tr>
</thead>
<tbody>
<tr>
<td>Share of 1-4 Employee Retailers</td>
<td>0.0705</td>
<td>0.0334</td>
<td>0.0454*</td>
<td>0.0466**</td>
</tr>
<tr>
<td></td>
<td>(0.0436)</td>
<td>(0.0209)</td>
<td>(0.0262)</td>
<td>(0.0227)</td>
</tr>
<tr>
<td>R-Squared</td>
<td>0.129</td>
<td>0.808</td>
<td>0.940</td>
<td>0.962</td>
</tr>
<tr>
<td>Log(Alcohol Employment/Pop 14+)</td>
<td>0.451</td>
<td>-1.753***</td>
<td>-0.482**</td>
<td>-0.431*</td>
</tr>
<tr>
<td></td>
<td>(0.336)</td>
<td>(0.198)</td>
<td>(0.240)</td>
<td>(0.224)</td>
</tr>
<tr>
<td>R-Squared</td>
<td>0.066</td>
<td>0.467</td>
<td>0.739</td>
<td>0.819</td>
</tr>
<tr>
<td>Log(Liquor Stores Per Capita)</td>
<td>0.337</td>
<td>-1.336***</td>
<td>-0.595***</td>
<td>-0.514***</td>
</tr>
<tr>
<td></td>
<td>(0.201)</td>
<td>(0.0866)</td>
<td>(0.0913)</td>
<td>(0.103)</td>
</tr>
<tr>
<td>R-Squared</td>
<td>0.140</td>
<td>0.855</td>
<td>0.964</td>
<td>0.983</td>
</tr>
<tr>
<td></td>
<td>Obs</td>
<td>51</td>
<td>1275</td>
<td>1275</td>
</tr>
<tr>
<td></td>
<td>Demog Controls</td>
<td>Y</td>
<td>Y</td>
<td>Y</td>
</tr>
<tr>
<td></td>
<td>State FE</td>
<td>N</td>
<td>Y</td>
<td>Y</td>
</tr>
<tr>
<td></td>
<td>Year FE</td>
<td>N</td>
<td>Y</td>
<td>Y</td>
</tr>
<tr>
<td></td>
<td>State Specific Trends</td>
<td>N</td>
<td>N</td>
<td>Y</td>
</tr>
</tbody>
</table>

44
Table 7: Import and Domestic Vodka Share: Northeastern States

<table>
<thead>
<tr>
<th>State</th>
<th>Domestic</th>
<th>Imported</th>
<th>Total</th>
<th>Import Share</th>
</tr>
</thead>
<tbody>
<tr>
<td>Connecticut</td>
<td>684,520</td>
<td>440,230</td>
<td>1,124,750</td>
<td>39.1%</td>
</tr>
<tr>
<td>Massachusetts</td>
<td>1,914,500</td>
<td>1,132,980</td>
<td>2,047,480</td>
<td>52.8%</td>
</tr>
<tr>
<td>New Jersey</td>
<td>974,910</td>
<td>1,880,350</td>
<td>2,855,260</td>
<td>65.9%</td>
</tr>
<tr>
<td>New York</td>
<td>2,256,280</td>
<td>2,759,480</td>
<td>5,015,760</td>
<td>55.6%</td>
</tr>
<tr>
<td>Vermont</td>
<td>90,570</td>
<td>45,330</td>
<td>135,900</td>
<td>33.4%</td>
</tr>
<tr>
<td>New Hampshire</td>
<td>365,940</td>
<td>315,700</td>
<td>681,640</td>
<td>46.3%</td>
</tr>
<tr>
<td>Pennsylvania</td>
<td>1,459,740</td>
<td>981,660</td>
<td>2,441,400</td>
<td>40.2%</td>
</tr>
<tr>
<td>District of Columbia</td>
<td>173,720</td>
<td>186,420</td>
<td>360,140</td>
<td>51.8%</td>
</tr>
</tbody>
</table>

Table 8: Comparison of CT and MA Spirits Sales

\[
\begin{align*}
Q_{MA} \times Price & \quad -0.034 \quad -0.00083 \quad -0.147** \quad -0.0068** \\
& \quad [0.045] \quad [0.001] \quad [0.073] \quad [0.0032] \\
Q_{MA} & \quad 0.557 \quad 0.47 \quad 0.945 \quad 0.648 \\
& \quad [0.158] \quad [0.052] \quad [0.262] \quad [0.111] \\
Price_{CT} & \quad 2.248 \quad 11.86955 \\
& \quad [3.451] \quad [6.447] \\
Log(Price) & \quad 17.202 \quad 146.479 \\
& \quad [61.952] \quad [142.034] \\
Constant & \quad 189.053 \quad -164.598 \quad 34.923 \\
& \quad [223.250] \quad [469.619] \quad [202.844] \\
\end{align*}
\]

<table>
<thead>
<tr>
<th>Type</th>
<th>All</th>
<th>All</th>
<th>Vodka</th>
<th>Vodka</th>
</tr>
</thead>
<tbody>
<tr>
<td>(R^2)</td>
<td>.800</td>
<td>.800</td>
<td>.788</td>
<td>.788</td>
</tr>
<tr>
<td>N</td>
<td>3401</td>
<td>3401</td>
<td>1109</td>
<td>1109</td>
</tr>
</tbody>
</table>

All reported standard errors are heteroskedasticity robust.

Table 9: Product Characteristics

<table>
<thead>
<tr>
<th>Spirit Category</th>
<th>Price</th>
<th>Proof</th>
<th>Products</th>
<th>Market Share</th>
<th>Total Tax</th>
</tr>
</thead>
<tbody>
<tr>
<td>Vodka</td>
<td>$24.26</td>
<td>75.26</td>
<td>211</td>
<td>42.38%</td>
<td>$2.20</td>
</tr>
<tr>
<td>Rum</td>
<td>$22.50</td>
<td>71.02</td>
<td>127</td>
<td>16.23%</td>
<td>$2.00</td>
</tr>
<tr>
<td>Gin</td>
<td>$26.32</td>
<td>87.79</td>
<td>33</td>
<td>4.87%</td>
<td>$2.45</td>
</tr>
<tr>
<td>Tequila</td>
<td>$30.44</td>
<td>79.99</td>
<td>79</td>
<td>5.60%</td>
<td>$2.51</td>
</tr>
<tr>
<td>Domestic Whiskey</td>
<td>$27.14</td>
<td>82.31</td>
<td>71</td>
<td>12.40%</td>
<td>$2.40</td>
</tr>
<tr>
<td>Imported Whiskey</td>
<td>$39.70</td>
<td>81.09</td>
<td>145</td>
<td>17.57%</td>
<td>$3.17</td>
</tr>
</tbody>
</table>

Reported Price, Proof and Total Tax are category means weighted by number of cases sold. Products is the count of distinct DISCUS brands. Market Share is the fraction of all of cases sold; shares sum to only 99.95% because data for cachaca and cocktail mixes are not reported. Prices are converted to 2013 dollars using CPI-U.
Table 10: Demand Estimates, Logit and Nested Logit, RCL

<table>
<thead>
<tr>
<th></th>
<th>(1) Logit</th>
<th>(2) LogitFE</th>
<th>(3) NLogit</th>
<th>(4) NLogitIV</th>
<th>(5) RCNL</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\rho$</td>
<td>0.8751***</td>
<td>(0.0035)</td>
<td>0.8439***</td>
<td>0.8350</td>
<td></td>
</tr>
<tr>
<td>$\sigma_{\log \rho}$</td>
<td>0.0733</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>log(price)</td>
<td>-0.2376***</td>
<td>(0.0171)</td>
<td>-0.1876***</td>
<td>-0.1486***</td>
<td>-0.1546***</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0307)</td>
<td>(0.0050)</td>
<td>(0.0051)</td>
<td></td>
</tr>
<tr>
<td>size1000</td>
<td>-0.2122***</td>
<td>(0.0188)</td>
<td>-0.6149***</td>
<td>-0.0086</td>
<td>-0.0152*</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0112)</td>
<td>(0.0086)</td>
<td>(0.0086)</td>
<td></td>
</tr>
<tr>
<td>size1750</td>
<td>0.8515***</td>
<td>(0.0216)</td>
<td>0.2443***</td>
<td>0.1429***</td>
<td>0.1696***</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0214)</td>
<td>(0.0083)</td>
<td>(0.0084)</td>
<td></td>
</tr>
<tr>
<td>Proof</td>
<td>0.0146***</td>
<td>(0.0006)</td>
<td>-0.0023***</td>
<td>-0.0017***</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0004)</td>
<td>(0.0004)</td>
<td>(0.0004)</td>
<td></td>
</tr>
<tr>
<td>Constant</td>
<td>-12.3662***</td>
<td>(0.0653)</td>
<td>-11.1105***</td>
<td>-5.5012***</td>
<td>-5.7400***</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0883)</td>
<td>(0.0492)</td>
<td>(0.0543)</td>
<td></td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Fixed Effects</th>
<th>Category</th>
<th>Product</th>
<th>None</th>
<th>None</th>
<th>Product</th>
</tr>
</thead>
<tbody>
<tr>
<td>Instruments</td>
<td>None</td>
<td>None</td>
<td>None</td>
<td>None</td>
<td>Product</td>
</tr>
<tr>
<td>Observations</td>
<td>49,806</td>
<td>49,806</td>
<td>49,806</td>
<td>49,806</td>
<td>49,806</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.8614</td>
<td>0.7807</td>
<td>0.8298</td>
<td>0.8298</td>
<td></td>
</tr>
</tbody>
</table>

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

Table 11: Marginal Impact of Tax or Price Increases With and Without Post and Hold (PH)

<table>
<thead>
<tr>
<th></th>
<th>Post and Hold (100% PassThru)</th>
<th>Perfect Competition</th>
</tr>
</thead>
<tbody>
<tr>
<td>Double Specific Tax (5.40) (Consumption)</td>
<td>-0.867</td>
<td>-2.305</td>
</tr>
<tr>
<td>Double Sales Tax (Consumption)</td>
<td>-1.275</td>
<td>-2.081</td>
</tr>
<tr>
<td>$1 per bottle Price Increase (Consumption)</td>
<td>-3.949</td>
<td>-1.302</td>
</tr>
<tr>
<td>Do Nothing (Consumption)</td>
<td>-3.949</td>
<td>-1.228</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>Post and Hold (100% PassThru)</th>
<th>Perfect Competition</th>
</tr>
</thead>
<tbody>
<tr>
<td>$1 per bottle Price Increase (Consumption)</td>
<td>-0.645</td>
<td>-2.039</td>
</tr>
<tr>
<td>Do Nothing (Consumption)</td>
<td>-0.481</td>
<td>-0.822</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>Post and Hold (100% PassThru)</th>
<th>Perfect Competition</th>
</tr>
</thead>
<tbody>
<tr>
<td>$1 per bottle Price Increase (Consumption)</td>
<td>-0.481</td>
<td>-0.822</td>
</tr>
<tr>
<td>Do Nothing (Consumption)</td>
<td>7.9763</td>
<td>4.8651</td>
</tr>
</tbody>
</table>
Table 12: Raising Taxes to Hold Alcohol Consumption Fixed

<table>
<thead>
<tr>
<th></th>
<th>Specific Tax</th>
<th>Sales Tax</th>
</tr>
</thead>
<tbody>
<tr>
<td>Tax Increase</td>
<td>12.61</td>
<td>35.7%</td>
</tr>
<tr>
<td>Per 750mL Smirnoff at 80PF</td>
<td>2.00</td>
<td></td>
</tr>
<tr>
<td>Change in Sales</td>
<td>2.47%</td>
<td>1.50%</td>
</tr>
<tr>
<td>Change in Gov't Revenue</td>
<td>233.60%</td>
<td>506.67%</td>
</tr>
<tr>
<td>Change in Consumer Surplus</td>
<td>2.44%</td>
<td>8.19%</td>
</tr>
<tr>
<td>Fraction of Wholesaler Variable Profit</td>
<td>45.38%</td>
<td>98.40%</td>
</tr>
</tbody>
</table>